

# COMBINATION OF END-TO-END AND HYBRID MODELS FOR SPEECH RECOGNITION

Jeremy Wong, Yashesh Gaur, Rui Zhao, Liang Lu, Eric Sun, Jinyu Li, and Yifan Gong

*Microsoft Speech and Language Group*

# Data

- Training:
  - 75K hours from variety of Microsoft applications.
- Testing:
  - Average of 13 application scenarios (Cortana, far-field, ....).
  - Total 1.8M words, 260K utterances.

# Model architectures

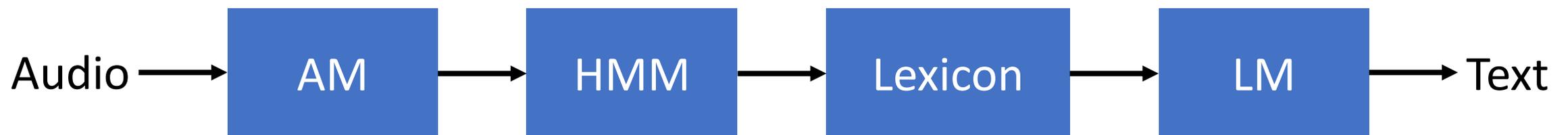
## Hybrid model

$$P(\omega_{1:L} | \mathbf{O}_{1:T}) \propto P^Y(\omega_{1:L}) \sum_{\mathbf{s}_{1:T} \in \omega_{1:L}} \prod_{t=1}^T \frac{P(s_t | \mathbf{o}_t)}{P(s_t)} P(s_t | s_{t-1})$$

- Language model

$$P(\omega_{1:L}) = \prod_{l=1}^L P(\omega_l | \omega_{l-n+1:l-1})$$

- Makes conditional independence assumptions.
- Uses external lexicon and language model.



# Model architectures

## LAS model

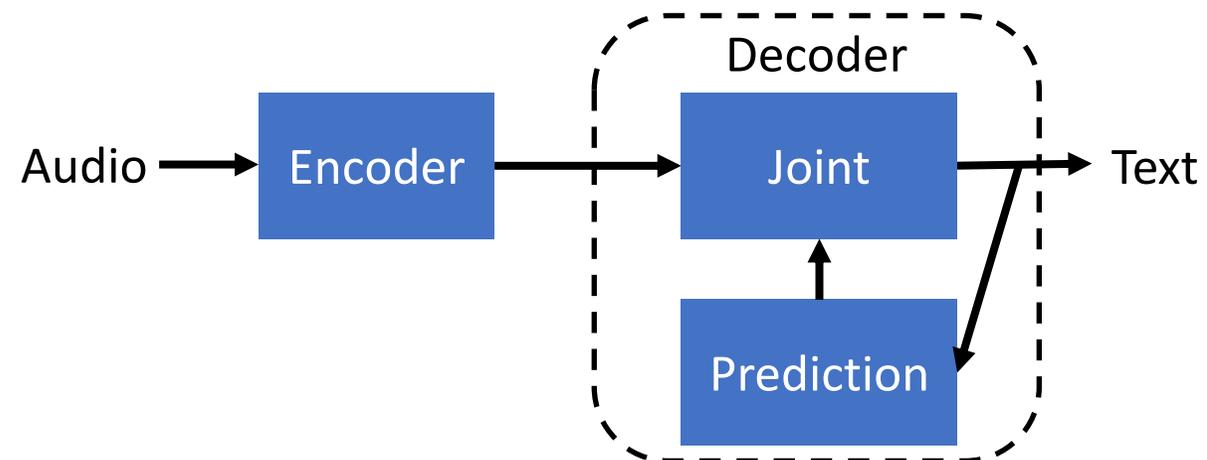
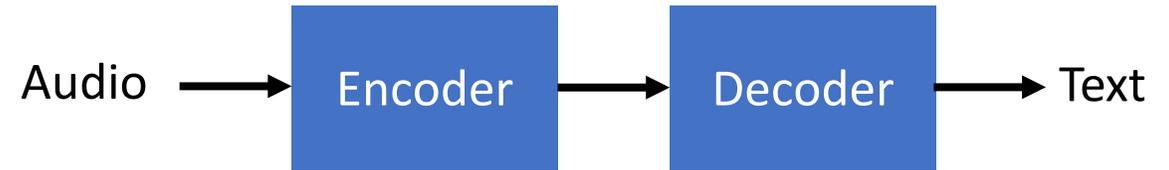
$$P(\boldsymbol{\tau}_{1:J} | \mathbf{O}_{1:T}) = \prod_{j=1}^J P(\tau_j | \boldsymbol{\tau}_{1:j-1}, \mathbf{O}_{1:T})$$

- No conditional independence assumption.
- All components jointly trained.
- Not frame-synchronous.

## RNN-T model

$$P(\boldsymbol{\tau}_{1:J} | \mathbf{O}_{1:T}) = \sum_{\mathbf{s}_{1:T+J} \in \mathcal{B}(\boldsymbol{\tau}_{1:J}, T)} \prod_{k=1}^{T+J} P(s_k | \mathbf{s}_{1:k-1}, \mathbf{O}_{1:T})$$

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# Hypothesis-level model combination

- The models may behave differently and predict diverse error patterns.
- Combine the hypotheses together to correct each other's errors.
- Use MBR combination decoding.

$$\omega^* = \operatorname{argmin}_{\omega'} \sum_{m=1}^M \lambda_m \sum_{\omega \in \mathbb{N}} \mathcal{L}(\omega, \omega') \frac{P_m^{\kappa m}(\omega | \mathbf{O}_{1:T})}{\sum_{\tilde{\omega} \in \mathbb{N}} P_m^{\kappa m}(\tilde{\omega} | \mathbf{O}_{1:T})}$$

- Only hypothesis posteriors are needed, not per-word scores.
- Performance depends on the accuracy of the hypothesis posteriors.

# Bias toward short hypotheses

- LAS and RNN-T produce hypothesis posteriors that are biased toward short sequences.
- Alleviate using length normalisation.

$$\tilde{P}(\boldsymbol{\tau}_{1:J} | \mathbf{O}_{1:T}) \propto P^{\frac{1}{J}}(\boldsymbol{\tau}_{1:J} | \mathbf{O}_{1:T})$$

<b>Length norm</b>	<b>LAS WER (%)</b>	<b>Insertion (%)</b>	<b>Deletion (%)</b>
no	10.40	0.79	4.82
yes	7.90	1.32	1.38

# Model architectures

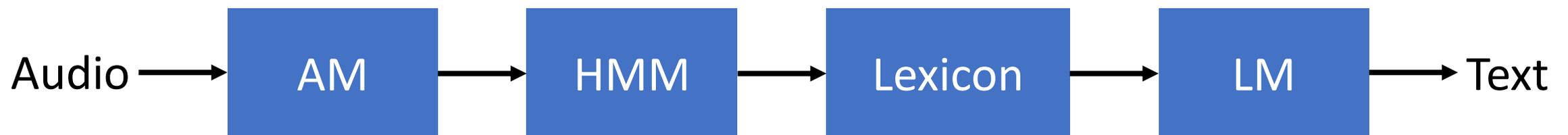
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# Model architectures

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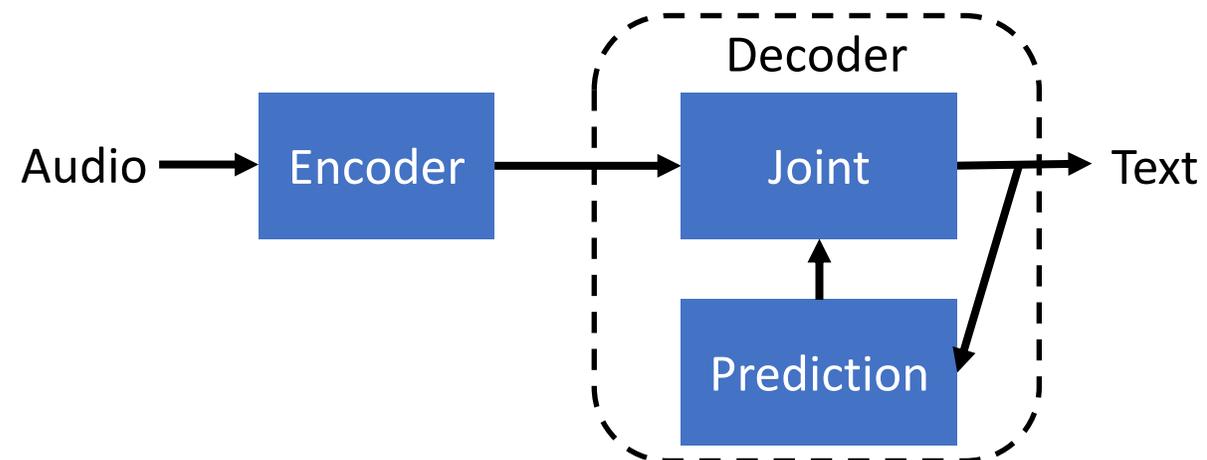
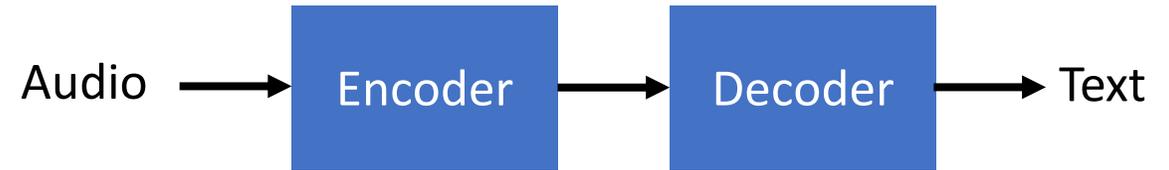
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# MBR training

- Can also alleviate bias by using discriminative training.
- Conditional maximum likelihood implicitly minimises alternative hypotheses through softmax.

$$\mathcal{F}_{\text{CML}} = -\log P(\boldsymbol{\omega}^{\text{ref}} | \mathbf{O}_{1:T})$$

- Minimum Bayes' risk explicitly minimises alternative hypotheses within criterion.

$$\mathcal{F}_{\text{MBR}} = \sum_{\boldsymbol{\omega} \in \mathbb{N}} \mathcal{L}(\boldsymbol{\omega}, \boldsymbol{\omega}^{\text{ref}}) \frac{P(\boldsymbol{\omega} | \mathbf{O}_{1:T})}{\sum_{\boldsymbol{\omega}' \in \mathbb{N}} P(\boldsymbol{\omega}' | \mathbf{O}_{1:T})}$$

- Length normalisation can be used inside MBR criterion.

$$\mathcal{F}_{\text{MBR-LN}} = \sum_{\boldsymbol{\omega} \in \mathbb{N}} \mathcal{L}(\boldsymbol{\omega}, \boldsymbol{\omega}^{\text{ref}}) \frac{P^{\frac{1}{|\boldsymbol{\omega}|}}(\boldsymbol{\omega} | \mathbf{O}_{1:T})}{\sum_{\boldsymbol{\omega}' \in \mathbb{N}} P^{\frac{1}{|\boldsymbol{\omega}'|}}(\boldsymbol{\omega}' | \mathbf{O}_{1:T})}$$

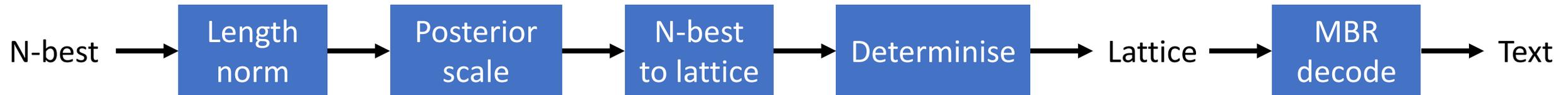
# MBR training

Training	Decoding length norm	LAS WER (%)
$\mathcal{F}_{\text{CML}}$	no	10.40
	yes	7.90
$\mathcal{F}_{\text{MBR}}$	no	8.95
	yes	7.92
$\mathcal{F}_{\text{MBR-LN}}$	no	9.29
	yes	7.85

- MBR training reduces bias toward short hypotheses.

# MBR decoding of end-to-end NN model

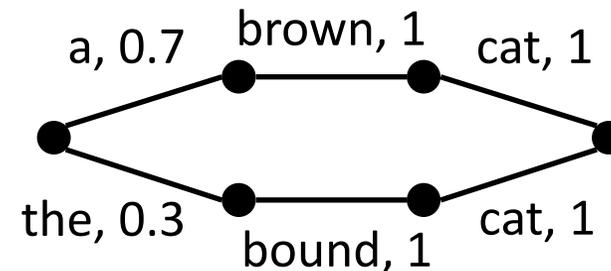
- Decoding process:



- Treat length-normalised scores as hypothesis posteriors.

- N-best to lattice conversion example:

a brown cat 0.7  
the bound cat 0.3



# MBR decoding of end-to-end NN model

<b>Model</b>	<b>1-best WER (%)</b>	<b>MBR WER (%)</b>
Hybrid	8.03	8.01
LAS	7.85	8.42
RNN-T	8.16	8.16

- N-best list size = 16.
- No significant gain from MBR decoding.

# Model combination

- Hypothesis-level MBR combination.

<b>Models</b>	<b>WER (%)</b>	<b>Relative WERR (%)</b>
Hybrid	8.03	-
LAS	7.85	-
RNN-T	8.16	-
Hybrid + LAS	7.32	6.8
Hybrid + RNN-T	7.26	9.6
LAS + RNN-T	7.62	2.9
Hybrid + LAS + RNN-T	6.89	12.2

- Combination between different model architectures yields significant gains.

# Model combination

- Compare combination methods for hybrid + LAS + RNN-T.

<b>Combination method</b>	<b>WER (%)</b>
1-best of merged N-best	7.59
ROVER	7.33
MBR	6.89

- MBR combination performs the best.

# Conclusion

- Propose hypothesis-level combination between hybrid and end-to-end NN models.
- Length normalisation and MBR training can reduce bias toward short hypotheses.