

Pop Quiz

Your project is comprised of four independent, parallel subprojects. Each subproject will take between 1 and 2 months to complete, and each has an average completion time of 1.5 months.

On average, how long will your project take to complete?

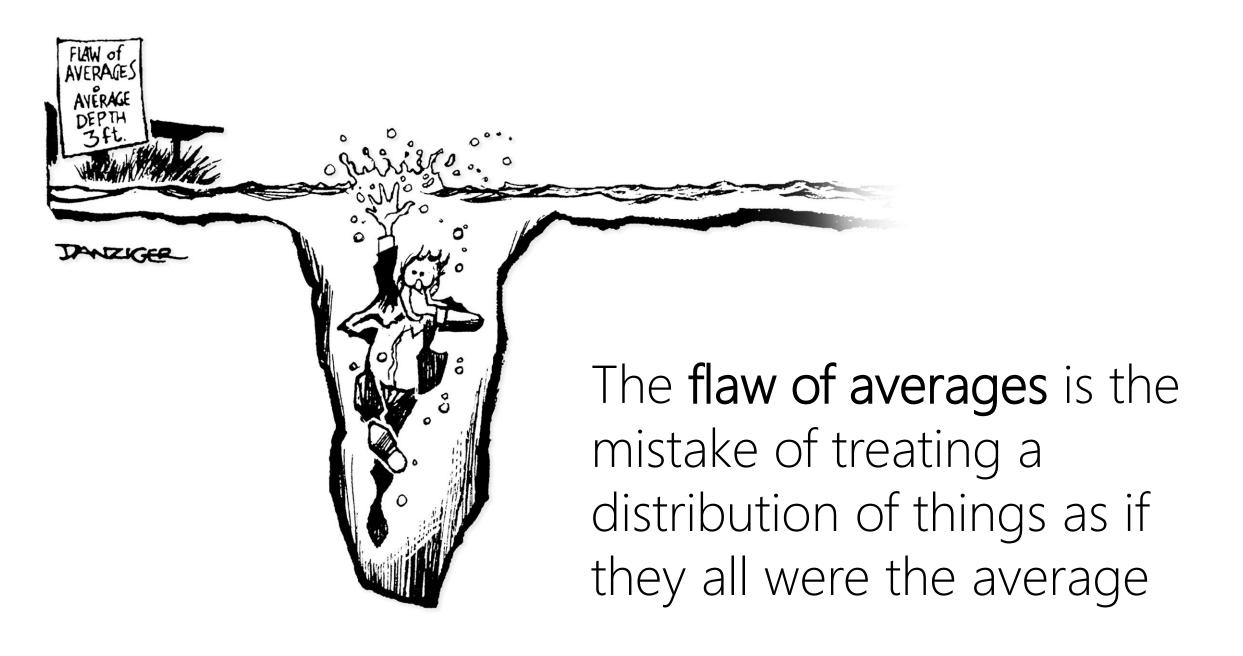
- A. Less than 1.5 months
- B. 1.5 months
- C. More than 1.5 months

Quiz Answer

C. More than 1.5 months

Why? Mathematical answer: Jensen's inequality says so.

Why? Intuitive account: You can't finish *your project* until *all of your subprojects* are finished. Finishing all of them in ≤ 1.5 months is as likely as flipping four coins and having them all come up heads (1 in 16).

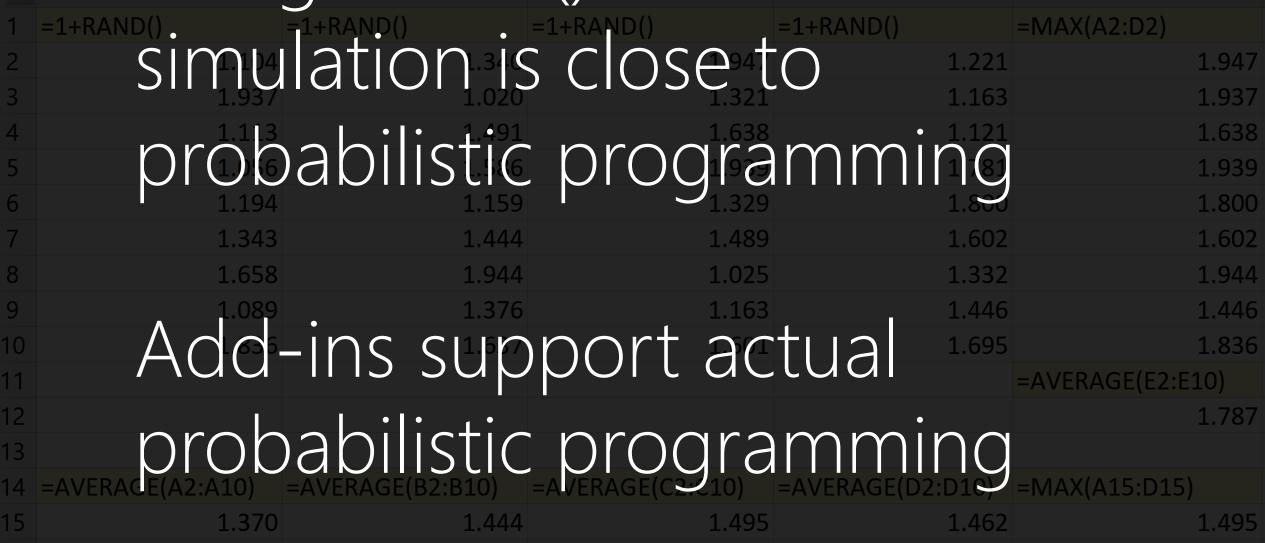


My talk – End-User Probabilistic Programming

Probabilistic programming for spreadsheet formula authors

- Flaw of averages good reason for EUPP
- Risk versus uncertainty fundamental limitation of EUPP
- Trustworthy communication next chapter for EUPP research

Spreadsheets, since 1979 Using RAND() for Monte Carlo



Insights from @Risk Users

We interviewed Peter Adlington, a consultant who helps companies make risk assessments using @Risk.

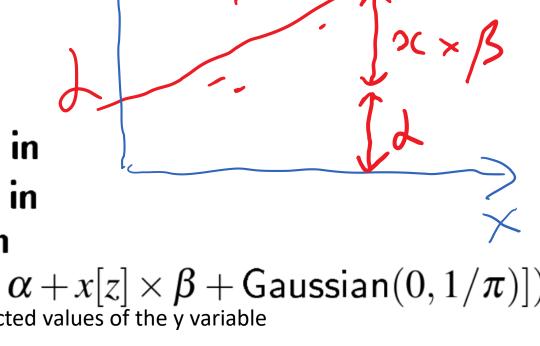
One key idea is the use of triples such as 1/2/3 to specify **triangular** distributions, with 1 being the **minimum**, 2 the **most likely**, and 3 the **maximum value**.

His customers don't initially appreciate that average inputs don't result in average outputs – the Flaw of Averages.

@Risk said to have ½ million users.



Probabilistic Programming Languages

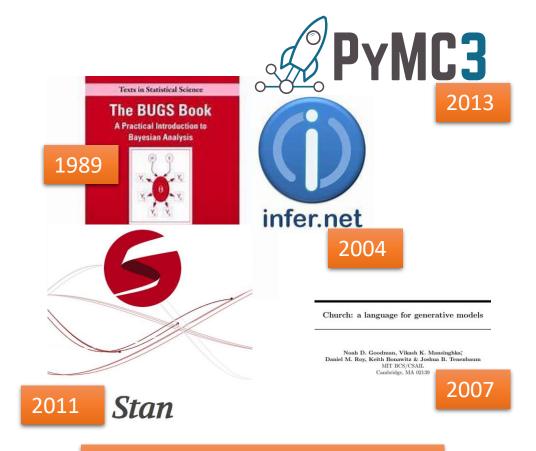


let
$$\alpha = \operatorname{Gaussian}(0, s_{large}^2)$$
 in let $\beta = \operatorname{Gaussian}(0, s_{large}^2)$ in let $\pi = \operatorname{Gamma}(1, \lambda_{small})$ in $((\alpha, \beta), [\operatorname{for} z < \underline{students} \to \alpha + x[z] \times \beta + \operatorname{Gaussian}(0, 1/\pi)])$ coefficients predicted values of the y variable

Probabilistic Programming since the 80s



Spreadsheets since 1987 (@RISK launched)



Languages since 1989 (BUGS started)

Estimated Usage

EU Programming (writing formulas) in spreadsheets (tens to hundreds of millions of people)



EU Probabilistic Programming (without conditioning) in spreadsheets (hundreds of thousands of people)



Probabilistic Programming in probabilistic programming languages (tens of thousands of people)

Interview study

Braun, V., Clarke, V.: **Using thematic analysis in psychology**. Qualitative research in psychology 3(2), 77-101 (2006)

Borghouts, J., Gordon, A.D., Sarkar, A., O'Hara, K.P., Toronto, N.: **Somewhere around that number: An interview study of how spreadsheet users manage uncertainty.** arXiv preprint arXiv:1905.13072 (2019)

Research Questions and Method

- What types of uncertainty do spreadsheet users deal with?
- How do they manage these various types of uncertainty?

- We conducted semi-structured interviews of 11 participants, who walked us through their spreadsheets.
- We analysed the audio transcripts of these interviews, identifying six qualitatively different **types of uncertainty**, and six **categories of strategies** used to cope with the uncertainty.
- (Thematic analysis is not quantitative.)

Spreadsheet Roles

Database: 'The vast bulk of users use it as a way of storing, analysing, capturing data. (...) it becomes the record of the corporate memory' (P1).

Template to repeat analysis: 'Even sometimes when you use past examples, you still think: There's still something not quite right about that figure' (P4).

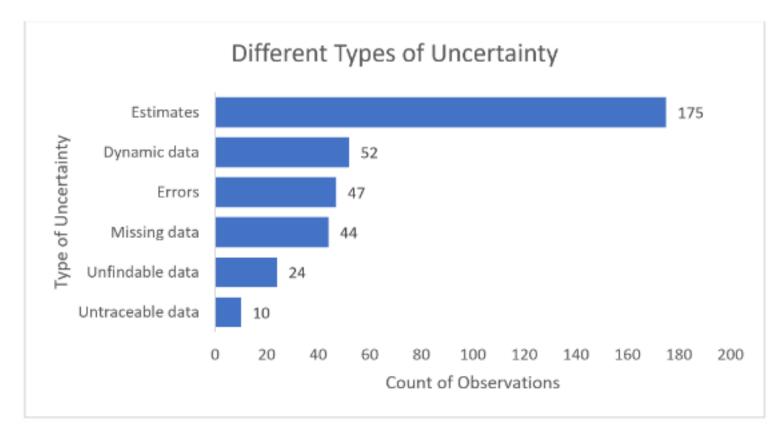
Calculator and analysis tool: P2 and P5 used spreadsheets to build prediction models with formulas.

Notepad: P4 used spreadsheets to get a better understanding of how long a project would approximately take.

Element	Code	Nature of Work Time Days		Dependencies	Confidence	%
Main Site	MS::C	Content	2	None	0	80
Vocabulary Bu	ilder C::VB::C	Content	3	None	②	10

Data exploration tool: P10 and P11 dealt with large datasets and used statistical analysis tools to analyse these.

Observed Uncertainty in Spreadsheets



Estimates were the most common type of uncertainty among participants.

Approximations where the precise value is not known, such as the expected profit of a project.

An 'observation' is a concrete instance in our transcripts where a participant mentioned encountering a type of uncertainty in a spreadsheet. We recorded 32 observations on average per participant (min: 16, max 55).



In a world of **known risks**, everything, including the probabilities is known for certain.

Here, statistical thinking and logic are sufficient to make good decisions.



In an **uncertain world**, not everything is known, and one cannot calculate the best option.

Here, good rules of thumb and intuition are also required.

Distinction due to Frank Knight *Risk, Uncertainty, and Profit* (1921) Images and quotation from Gerd Gigerenzer *Risk Savvy* (2014)

Probabilistic versus Possibilistic

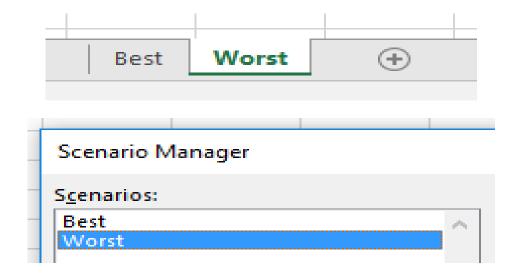
Found widespread use of **estimates** in spreadsheets, where precise value is unknown.

Probabilistic programming helps when the **risks are known**, or can easily be computed. (This situation is **Bayesian uncertainty**.)

Still, won't help with **Knightian uncertainty**, when probabilities not practically known.

A heuristic is to consider multiple scenarios – possibilistic programming.

1	Α	В	С	
1		Best	Worst	
2	Widgets	75000	125000	
3	Cost	\$6.50	\$7.50	
4	Total	\$487,500.00	\$937,500.00	
5	Budget	\$750,000.00	\$750,000.00	
6	Over?	FALSE	TRUE	
7				



Uncertain Values

Based on Streit's proposal of uncertain values that propagate through a sheet Alexander Streit, "Encapsulation and abstraction for modeling and visualizing information uncertainty" (March 2008), Queensland University of Technology

Clara's Budget

Clara is an end-user confident to model with simple formulas

4	Α	В	С	D	E	F
1					Budget for Jan	2018
2						
3					Income	2000
4						
110					Expenses	

$E1 = \mathtt{"Budget} \ for \ Jan \ 2018"$
E3 = "Income"; F4 = 2000
E5 = "Expenses"
E6 = "Rent"; F6 = 1100
E7 = "Commute"; F7 = 85
E8 = "Sofa!"; F8 = 700
E9 = "Utilities"; F9 = ???
E10 = "Total expenses"; F10 = SUM(F6:F9)
E12 = "Balance"; F12 = F4-F10

Expenses	
Rent	1100
Commute	85
Sofa!	700
Utilities	
Total expenses	1885
Balance	115

Streit's Uncertain Values in Cells

- 1. The user can input uncertainty information into cells.
 - Input can be via a textual notation, such as a numeric range, or as parameters of a probability distribution.
 - Assisted by some UI that constructs an underlying formula.
- 2. Uncertainty information propagates through formula evaluation.
- 3. The presence of uncertainty information is indicated within cell.
 - A most likely value might be displayed, for example.

Essentially, a **computational effect** for uncertainty in spreadsheets Streit considered estimates, intervals, probability distributions

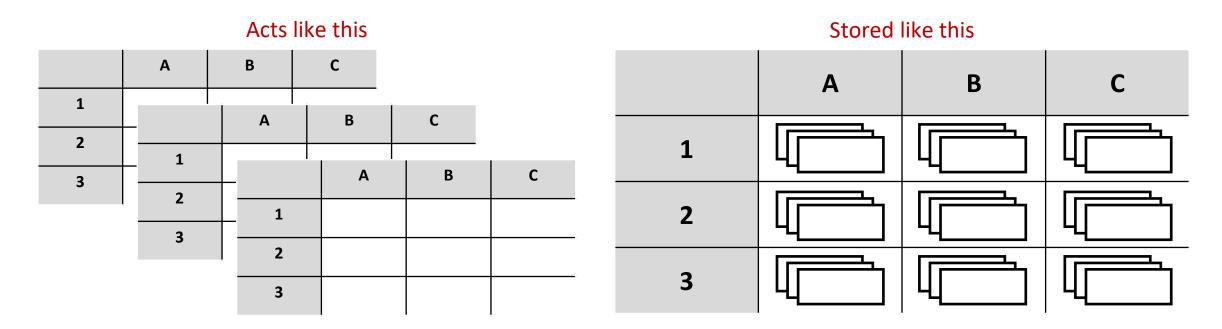
Probabilistic (weighted sets of values)

The function DIST.TRIANG(a,b,c) constructs a value distributed according to a **triangular distribution**, with lower bound a, upper bound b, and mode c, where a < b and $a \le c \le b$.

```
\label{eq:energy} \begin{array}{l} \texttt{E1} = \texttt{"Budget for Jan 2018"} \\ \texttt{E3} = \texttt{"Income"}; \ \mathsf{F4} = 2000 \\ \texttt{E5} = \texttt{"Expenses"} \\ \texttt{E6} = \texttt{"Rent"}; \ \mathsf{F6} = 1100 \\ \texttt{E7} = \texttt{"Commute"}; \ \mathsf{F7} = 85 \\ \texttt{E8} = \texttt{"Sofa!"}; \ \mathsf{F8} = 700 \\ \texttt{E9} = \texttt{"Utilities"}; \ \mathsf{F9} = \texttt{DIST.TRIANG}(50,150,100) \\ \texttt{E10} = \texttt{"Total expenses"}; \ \mathsf{F10} = \texttt{SUM}(\mathsf{F6:F9}) \ // \ \text{value: DIST.TRIANG}(1935,2035,1985) \\ \texttt{E12} = \texttt{"Balance"}; \ \mathsf{F12} = \mathsf{F4-F10} \ // \ \text{value: DIST.TRIANG}(-35,65,15) \\ \texttt{E13} = \texttt{"Chance of overdraft"}; \ \mathsf{F13} = \mathsf{F12} < 0 \ // \ \text{value: } 25\% \\ \end{array}
```

Idea: Store Array of Scenarios in Each Cell

Means the same as mashing F9 on a spreadsheet with random values...



...except each sequence of "random" numbers is repeatable

How Many Valentine Cards to Order?

Year	Sold			Cost per card	Price per card	
2010	833924			\$1.47	\$1.99	
2011	1299434					
2012	760148		Ordered	Cost	Gross Profit	Net Profit
2013	1083010		400000	\$588,000.00	\$796,000.00	\$208,000.00
2014	923113		550000	\$808,500.00	\$1,094,500.00	\$286,000.00
2015	1216995		700000	\$1,029,000.00	\$1,393,000.00	\$364,000.00
2016	861598		850000	\$1,249,500.00	\$1,691,500.00	\$442,000.00
		<	1000000	\$1,470,000.00	\$1,983,808.83	\$513,808.83
Average	996889		1150000	\$1,690,500.00	\$1,983,808.83	\$293,308.83
			1300000	\$1,911,000.00	\$1,983,808.83	\$72,808.83

Today, we'd model 2017 demand by exactly the average of previous years' demand.

How Many Valentine Cards to Order?

Year	Sold		Cost per card	Price per card		
2010	833924		\$1.47	\$1.99		
2011	1299434					
2012	760148	Ordered	Cost	Gross Profit	Net Profit	
2013	1083010	400000	\$588,000.00	~\$795,792.39	~\$207,792.39	
2014	923113	550000	\$808,500.00	~\$1,092,363.04	~\$283,863.04	۸. ۲۰
2015	1216995	700000	\$1,029,000.00	~\$1,379,405.37	~\$350,405.37	After
2016	861598	850000	\$1,249,500.00	~\$1,634,464.79	~\$384,964.79	
		1000000	\$1,470,000.00	~\$1,823,660.99	~\$353,660.99	
Average	996889	1150000	\$1,690,500.00	~\$1,929,667.49	~\$239,167.49	Before
Stdev	205648	1300000	\$1,911,000.00	~\$1,971,125.46	~\$60,125.46	
Demand	~996899	=DIST.NOR	RM(N,B12,B13)			

Expected net profits are lower when we model distributions.
Surprisingly, the optimal decision is to order below the average demand.



Project Yellow: Excel as a Programming Language

A Collaboration between MSR and Excel



Aim

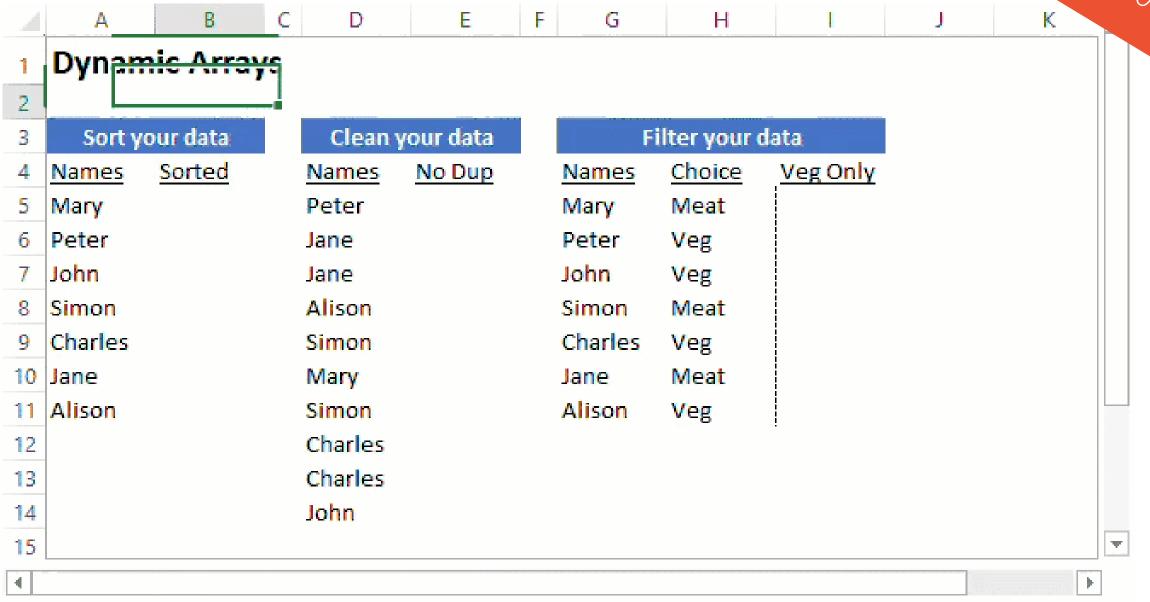
Remove the "glass ceiling" that limits the scope and reach of what a domain expert can do with Excel:

• Make Excel functions reflect the abstractions of our end users, by allowing end-users to define new functions using an ordinary worksheet.

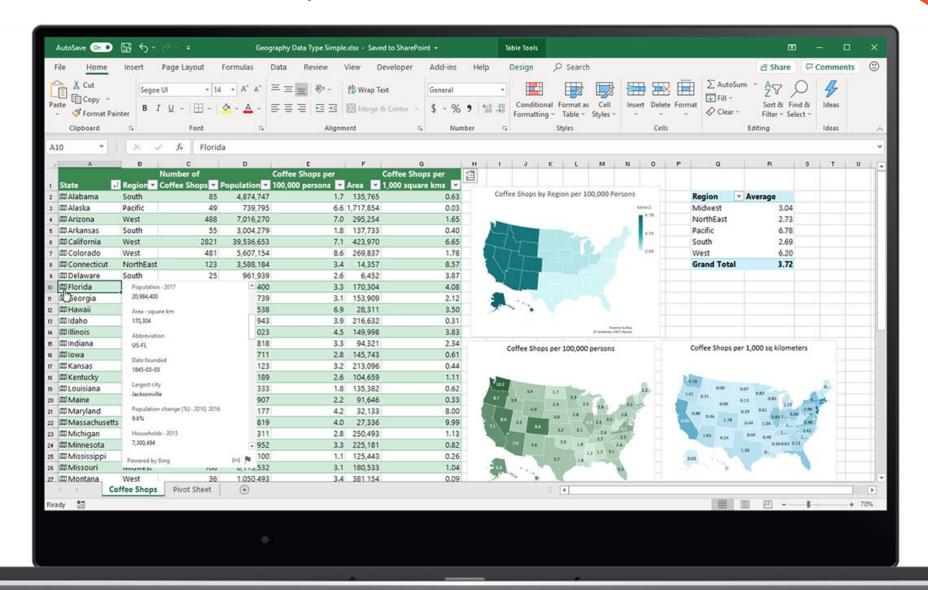
• Make Excel's data values reflect the datatypes of our end users' domains, by adding arrays, vectors, records, and even domain-specific data types implemented by third parties.

So far, we've taken Excel beyond text and numbers

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So far, we've taken Excel beyond text and numbers



aka.ms/popl blog



Influencing mainstream software—Applying programming language research ideas to transform spreadsheets

Spreadsheets are the world's most widely used programming language, by several orders of magnitude. We asked ourselves whether it would be possible to apply programming language research ideas to make spreadsheets a better programming language? If we could, that would empower a huge user community to do more. One of the joys of working at Microsoft Research is the ability to directly influence mainstream software technologies – in this case, Microsoft Excel. And the Excel...

January 2019

Microsoft Research Blog

aka.ms/CalcIntel



Judith Borghouts
User researcher



Dany Fabian Principal Research Software Development Engineer



Andy Gordon Principal Research Manager



Samin Ishtiaq
Principal Research
Software Development
Engineer



Anusha lyer UX Designer



Simon Peyton Jones Principal Researcher



Advait Sarkar Postdoctoral researcher



Neil Toronto Senior RSDE



Juliana Vicente Franco Research Software Engineer



Jack Williams
Visiting Researcher

The Next Chapter for EUPP: Trustworthy Communication

End-users will increasingly generate or receive uncertainty values

From probabilistic programming, from AI algorithms, from experts

Helping end users comprehend the uncertainty has been **out of scope**.

Trustworthy Communication

Uncertainty is an inherent part of knowledge, and yet in an era of contested expertise, many shy away from openly communicating their uncertainty about what they know, fearful of their audience's reaction.



Talk by David Spiegelhalter (StanCon, Cambridge, August 2019) (paper)

Trustworthy communication

- Intelligent openness: accessible, intelligible, useable, assessable
- · Be confident about uncertainty
- Listen to and respect audiences
- Multiple, layered formats
- Test outputs
- 'Star-ratings' for quality-of-evidence?
- Vigorously pre-empt misunderstandings
- Work closely with communication professionals and journalists

Communicating uncertainty about facts, numbers and science

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Uncertainty Visualization

It's a Moral Imperative

We should...

present well-calibrated uncertainty that cannot be ignored in ways people can actually understand

Matthew Kay (Computer Science, University of Michigan)

http://www.mjskay.com/ (talk at MSR Faculty Summit)

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