Algorithmic Improvisation for Dependable and Secure Autonomy

Sanjit A. Seshia

Professor

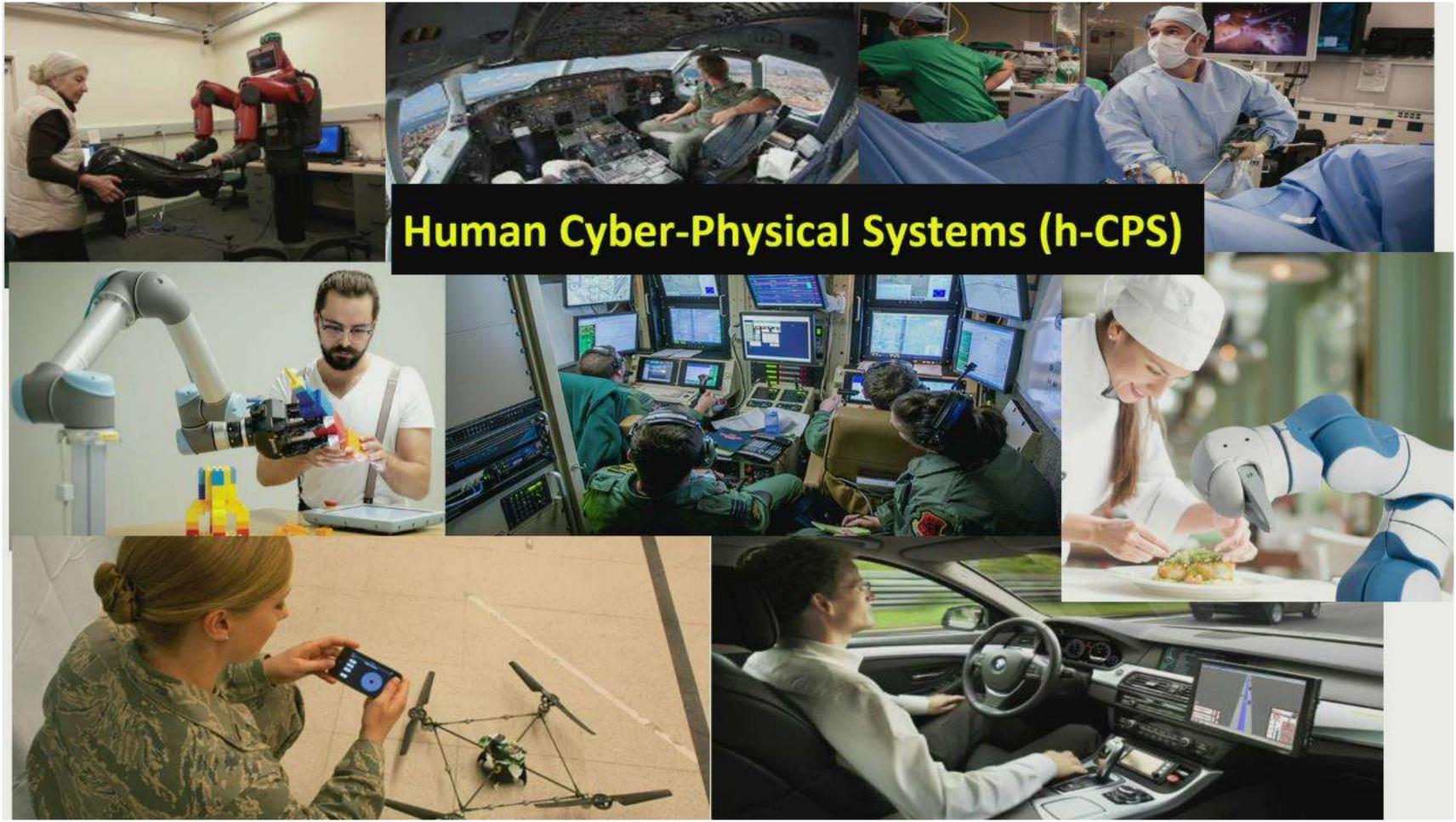
EECS Department, UC Berkeley

Joint work with:

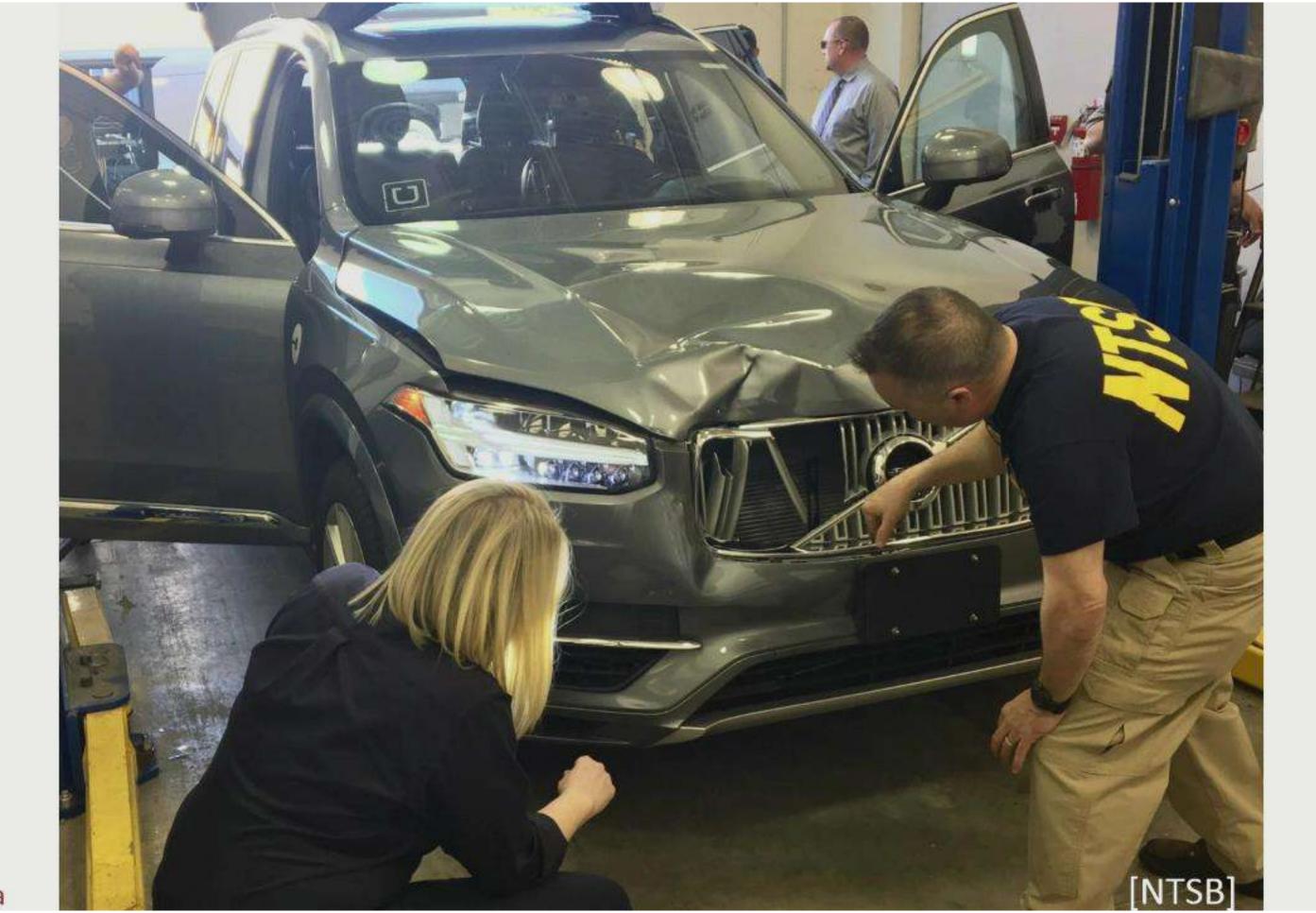
Daniel Fremont, Tommaso Dreossi, Shromona Ghosh, Xiangyu Yue, Ilge Akkaya, Alexandre Donze, Rafael Valle, Edward A. Lee, Alberto Sangiovanni-Vincentelli, David Wessel

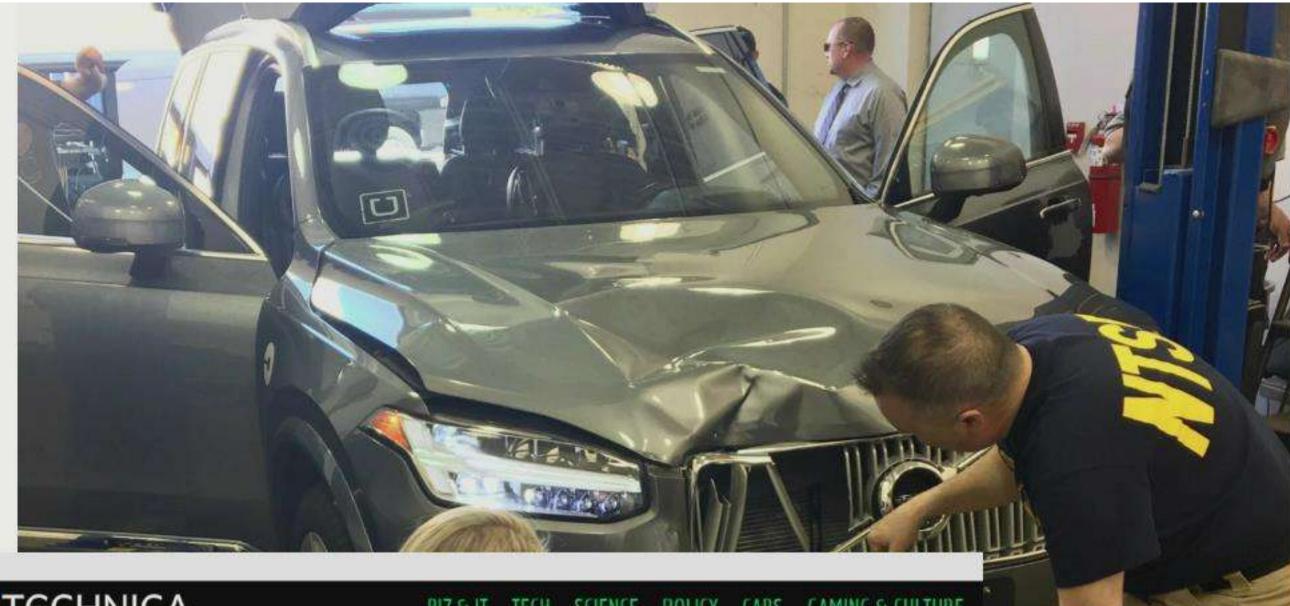












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BIZ & IT TECH SCIENCE POLICY CARS GAMING & CULTURE

DRIVERLESS CAR SAFETY -

Report: Software bug led to death in Uber's self-driving crash

Sensors detected Elaine Herzberg, but software reportedly decided to ignore her.

TIMOTHY B. LEE - 5/7/2018, 3:12 PM



Investigators with the federal agency determined that the car's detection systems, including radar and laser instruments, observed a woman walking her bicycle across the road roughly six seconds before impact — likely enough time, in other words, for a vehicle driving 43 mph to brake and avoid fatally injuring the woman.

But it did not immediately identify the woman as a human pedestrian. Instead, the agency said, "as the vehicle and pedestrian paths converged, the self-driving system software classified the pedestrian as an unknown object, as a vehicle, and then as a bicycle with varying expectations of future travel path."

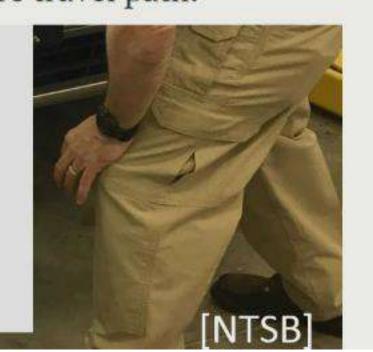
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A Formal Methods Approach

Formal Methods: rigorous algorithmic techniques to model, design, and analyze systems based on formal mathematical reasoning.

"Towards Verified Artificial Intelligence", S. A. Seshia et al., 2016: https://arxiv.org/abs/1606.08514

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A Formal Methods Approach

Formal Methods: rigorous algorithmic techniques to model, design, and analyze systems based on formal mathematical reasoning.

Prove rigorous guarantees when possible;

do formally-guided, intelligent simulation/testing when not.

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Randomness can play a crucial role in Formal Methods for Autonomy!

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Modeling Autonomous Systems and Their Environments

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Verification – Constrained-Random Simulation, Probabilistic
 Verification

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Synthesis: Randomized Planning/Control

Randomized
Controller Synthesis
(CAV'18)



Diverse, unbiased but safe trajectories

Randomized
Controller Synthesis
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Diverse, unbiased but safe trajectories

Human Modeling (loTDI'16)



Realistic models of stochastic human behavior

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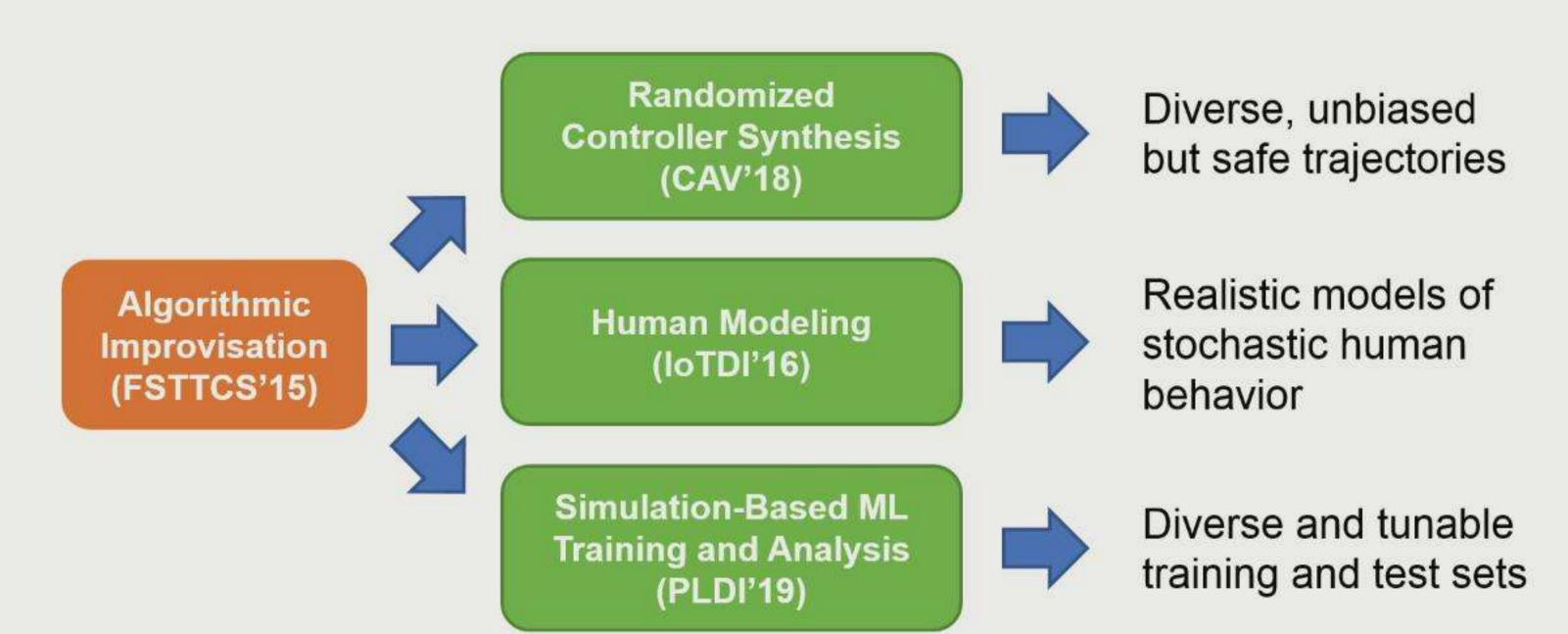


Realistic models of stochastic human behavior

Simulation-Based ML Training and Analysis (PLDI'19)



Diverse and tunable training and test sets



Why Randomness: Variety/Coverage

- Train/test set generator for an object-detecting neural network
 - "Generate images of bumper-to-bumper traffic"
 - Huge and diverse space of possibilities randomness lets you cover it well

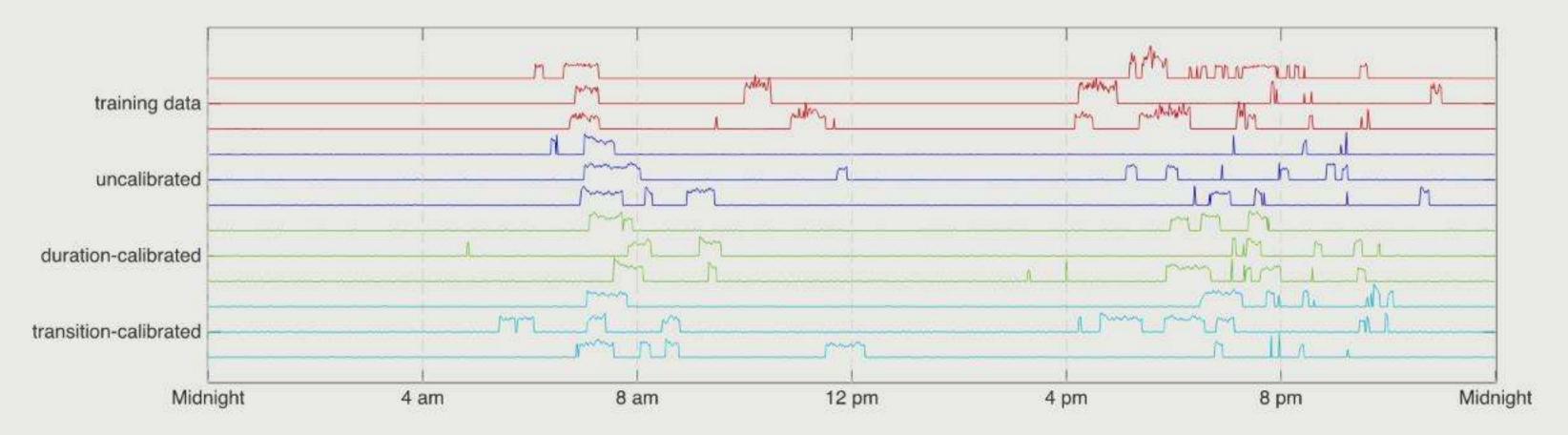






Why Randomness: Realism

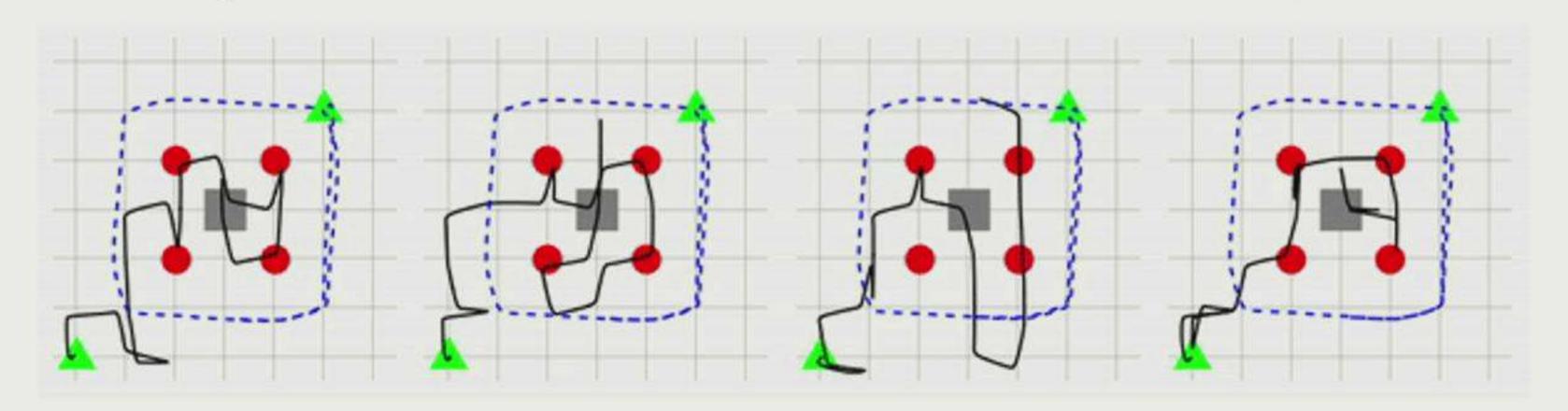
- Home automation lighting controller
 - "Mimic the user's typical behavior while they are away"
 - Deterministic models unrealistic human behavior is random



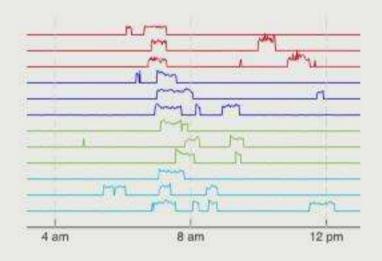
Akkaya et al., Control Improvisation with Probabilistic Temporal Specifications, IoTDI 2016.

Why Randomness: Unpredictability

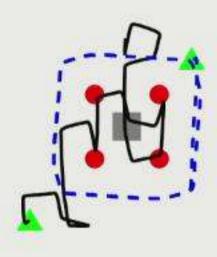
- Surveillance robot
 - "Patrol an area, visiting each important location sufficiently often"
 - Using a random route makes the robot's future location harder to predict



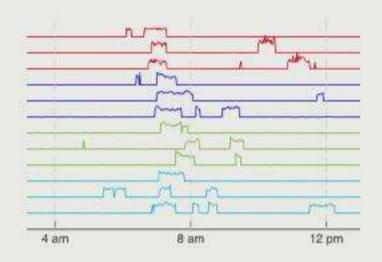
Randomness is essential for all these systems



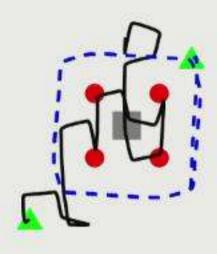




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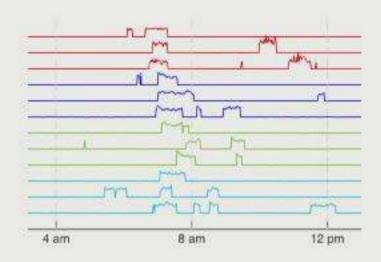




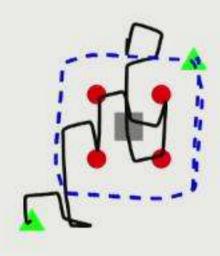


But, they must also satisfy formal specifications:

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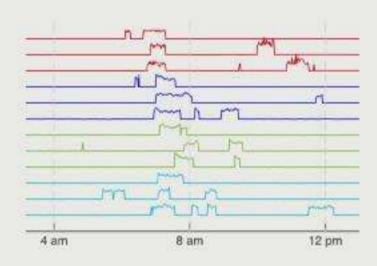




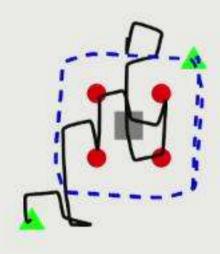
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"use < 20 kWh of power per day"

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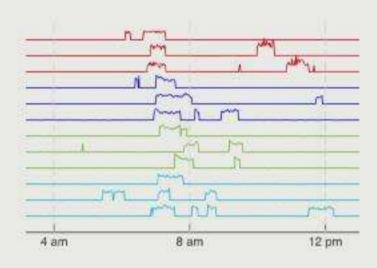


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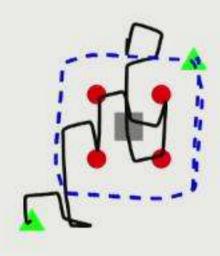
"use < 20 kWh of power per day"

"objects must not intersect"

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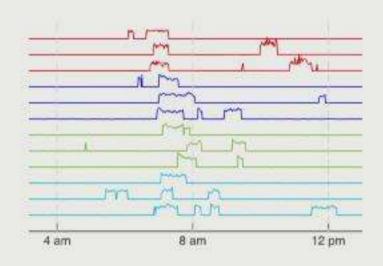
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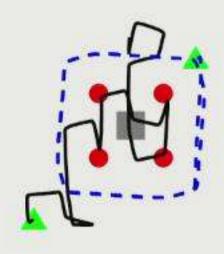
"objects must not intersect"

"never collide with another drone"

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How to design a system with <u>random but controlled</u> behavior?

 A framework for automatically synthesizing (reactive) systems with random behavior but formal guarantees:

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 - Guaranteed safety (hard and soft constraints)

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Key novelty: Randomness is part of the specification!

- 1. Control Improvisation
 - Definition and motivating applications

- Control Improvisation
 - Definition and motivating applications
- 2. Theory of CI
 - Efficient algorithms and hardness results

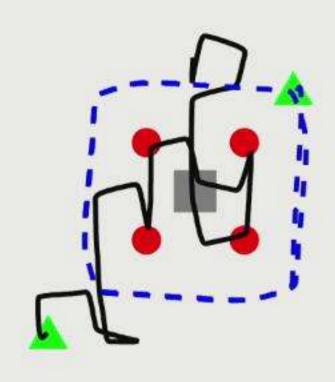
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- 4. Conclusion & Future Work

Outline

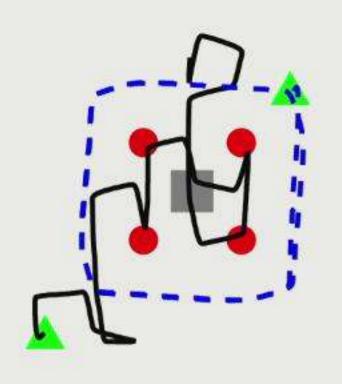
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 - "patrol an area in an unpredictable way"

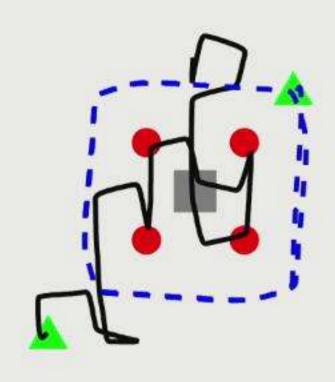


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Visit each location sufficiently often

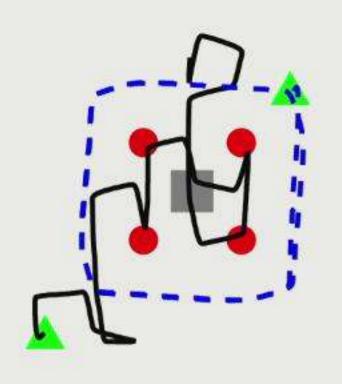


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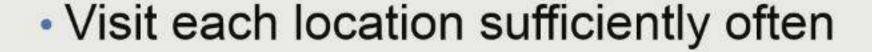


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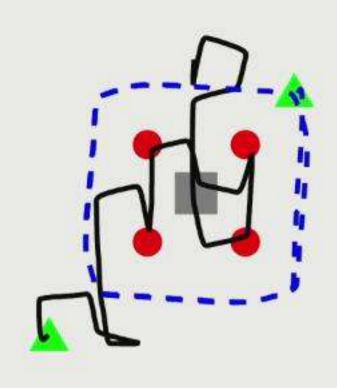
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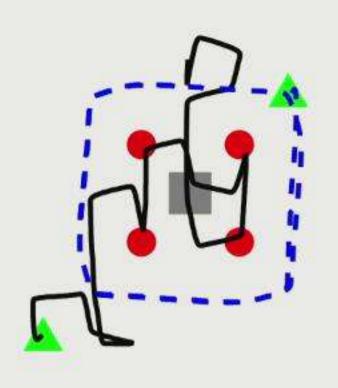


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Take a route close to the shortest one

Don't always take the same route

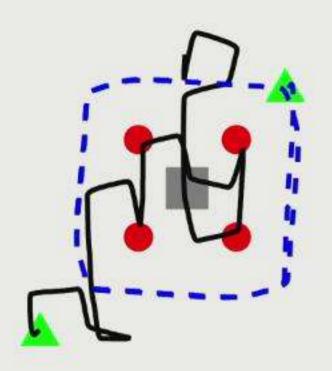


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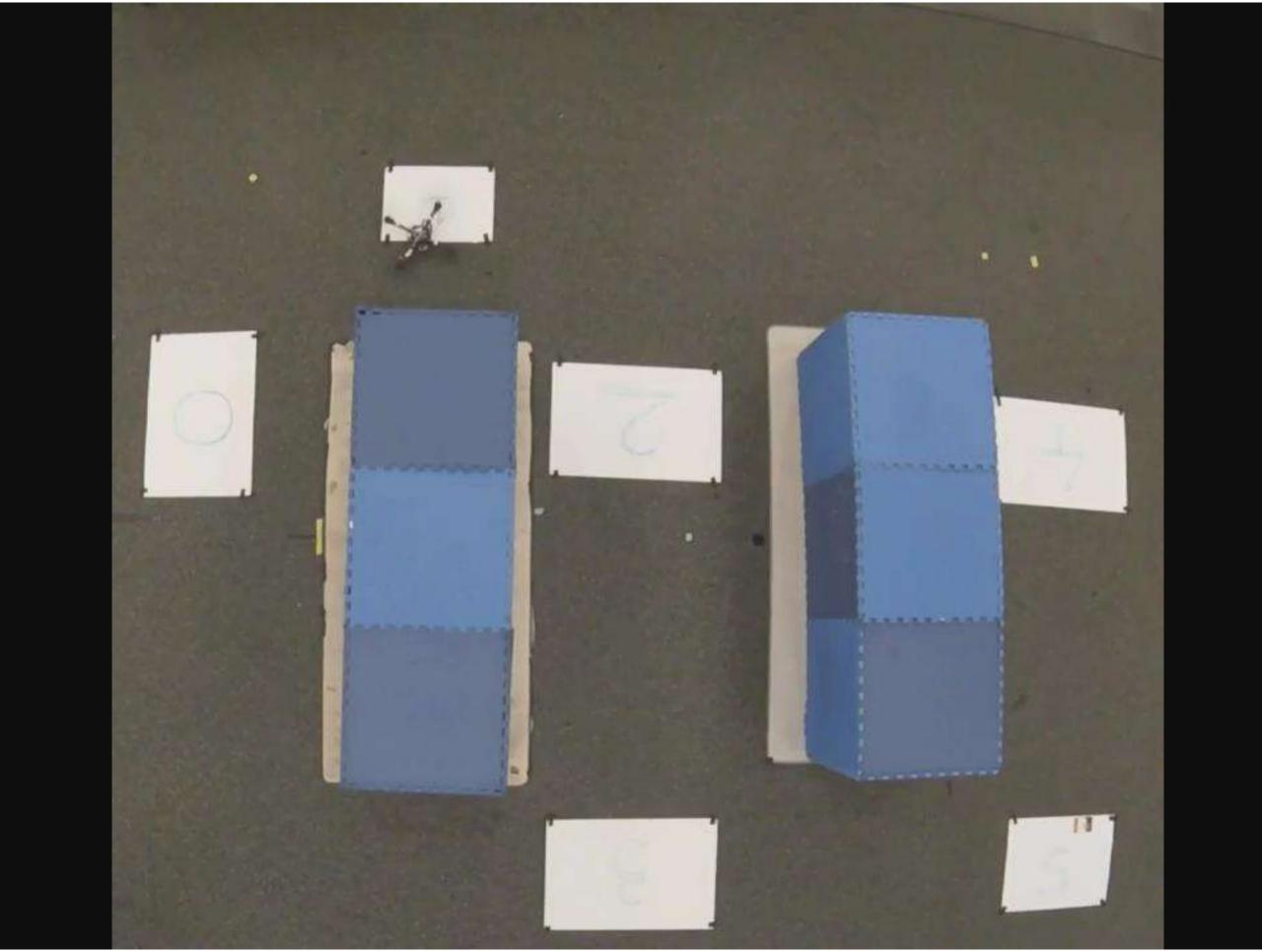
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Hard Constraint

Soft Constraint

Randomness Constraint



- Synthetic Data Generation
 - "create traffic images for this neural network"



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Objects should not intersect

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Objects should not intersect

Usually, be similar to real-world traffic

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Generate a diverse set of images

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These and other applications: music improvisation, fuzz testing...

Generate sequences subject to three kinds of constraints:

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- Soft constraint: most sequences satisfy some property
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Control Improvisation is a precisely-defined theoretical problem capturing these requirements

[D. Fremont et al., "Control Improvisation", FSTTCS 2015. Extended version on arxiv, 2018.]

Related Work

Control improvisation is a fundamentally new type of problem

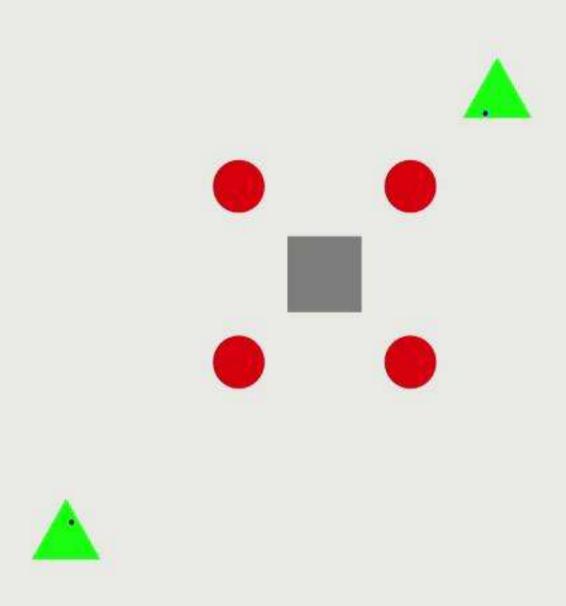
	HARD	SOFT	RANDOM	REACTIVE
Factor Oracles [1]				
Mutational Fuzzers [2]				
Uniform Sampling [3]			10	
Generative Fuzzers [2,3]				
Reactive Synthesis [4]				
Control Improvisation				

^[1] Assayag & Dubnov, Soft Computation, 2004.

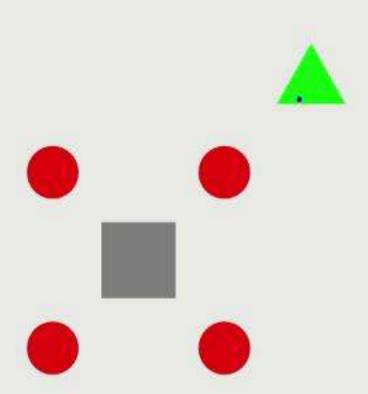
^[2] see Sutton, Greene, & Amini, Addison-Wesley, 2007.

^[3] e.g. Hickey & Cohen, SIAM Journal on Computing, 1983.

^[4] e.g. Pnueli & Rosner, POPL 1989.

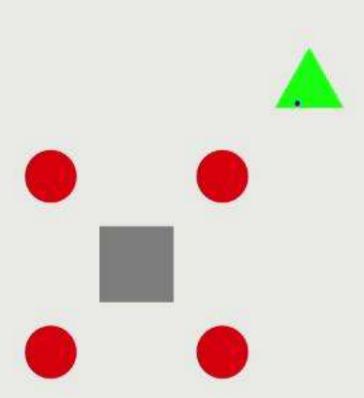


- Generate sequences of length n from a finite alphabet Σ
 - $\Sigma = \{ N, S, E, W \}, n = 30$



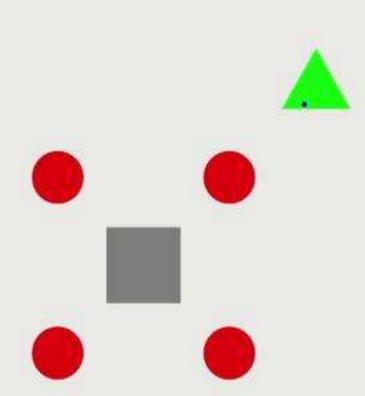


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- Hard constraints given by specification H
 - Visit all circles; avoid collisions



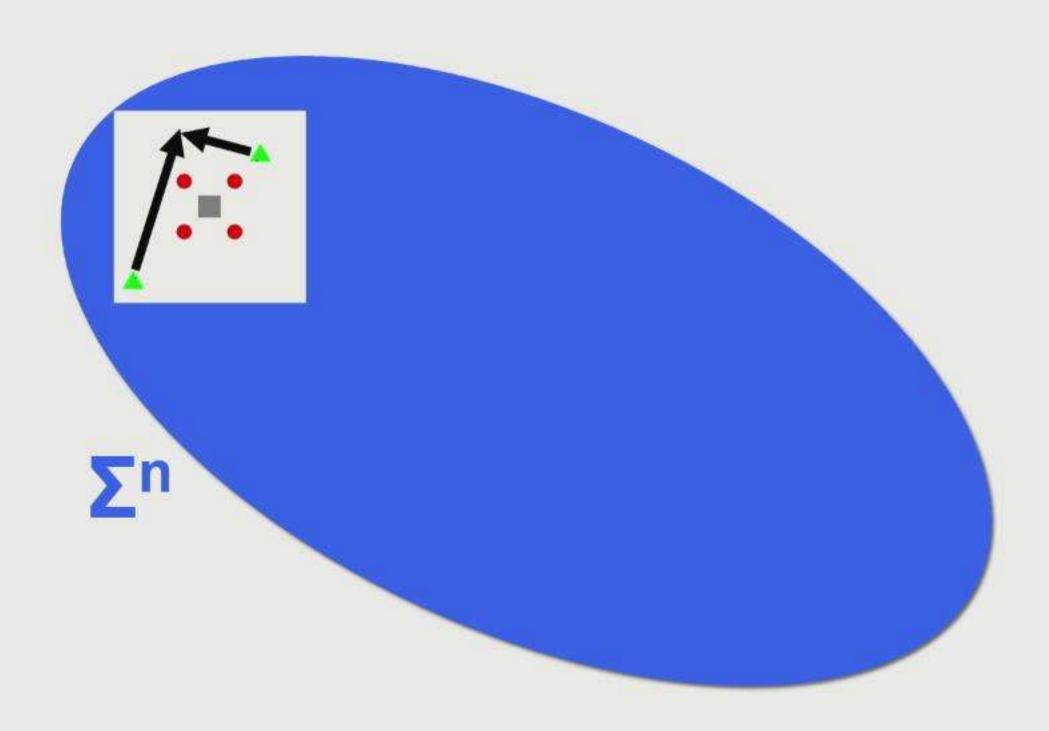


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 - Don't visit a circle twice

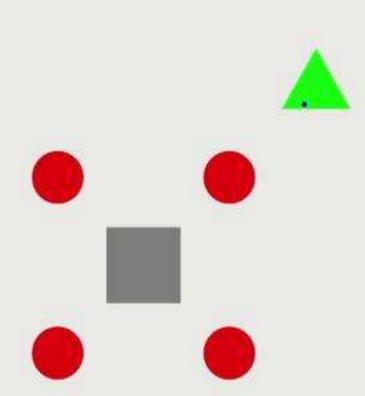




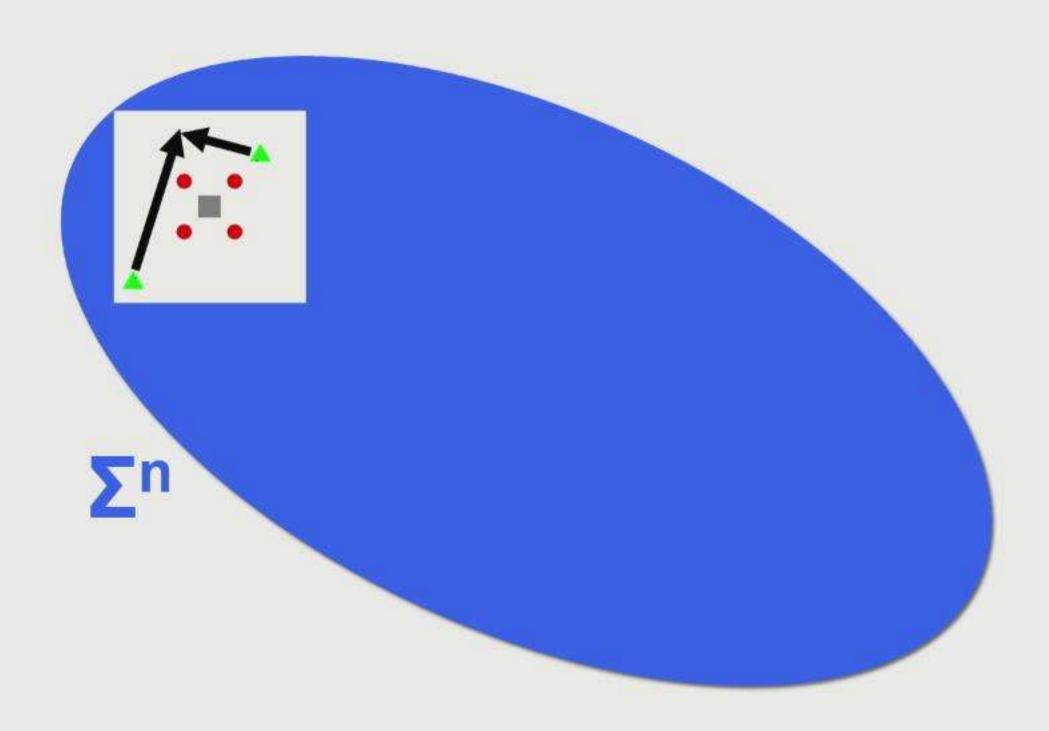




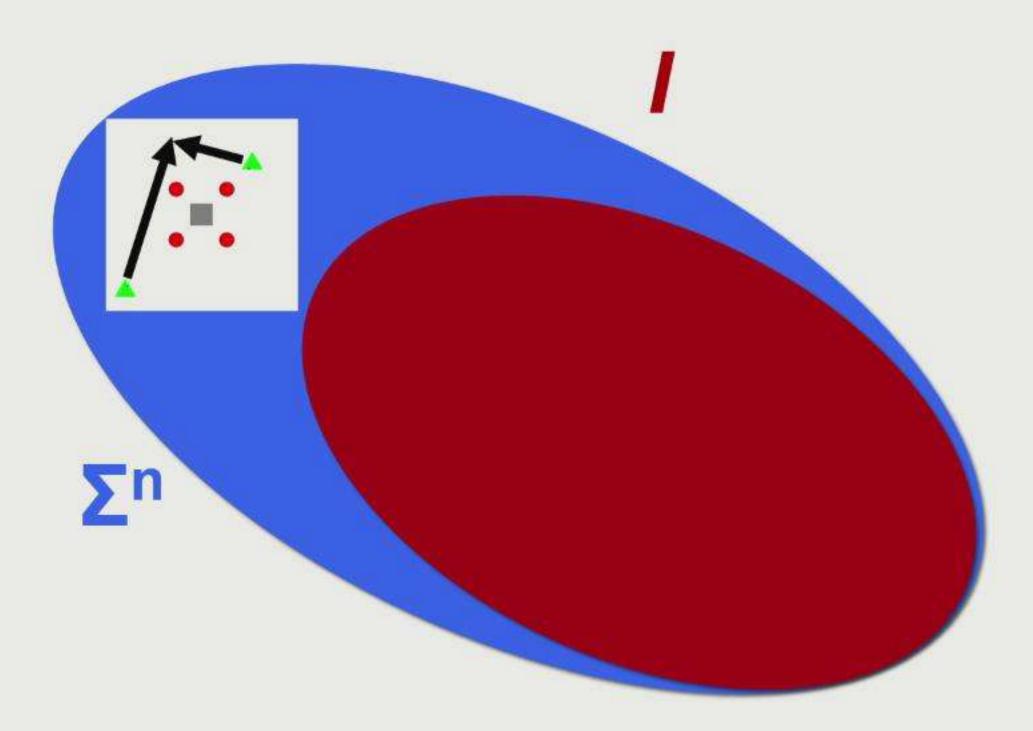
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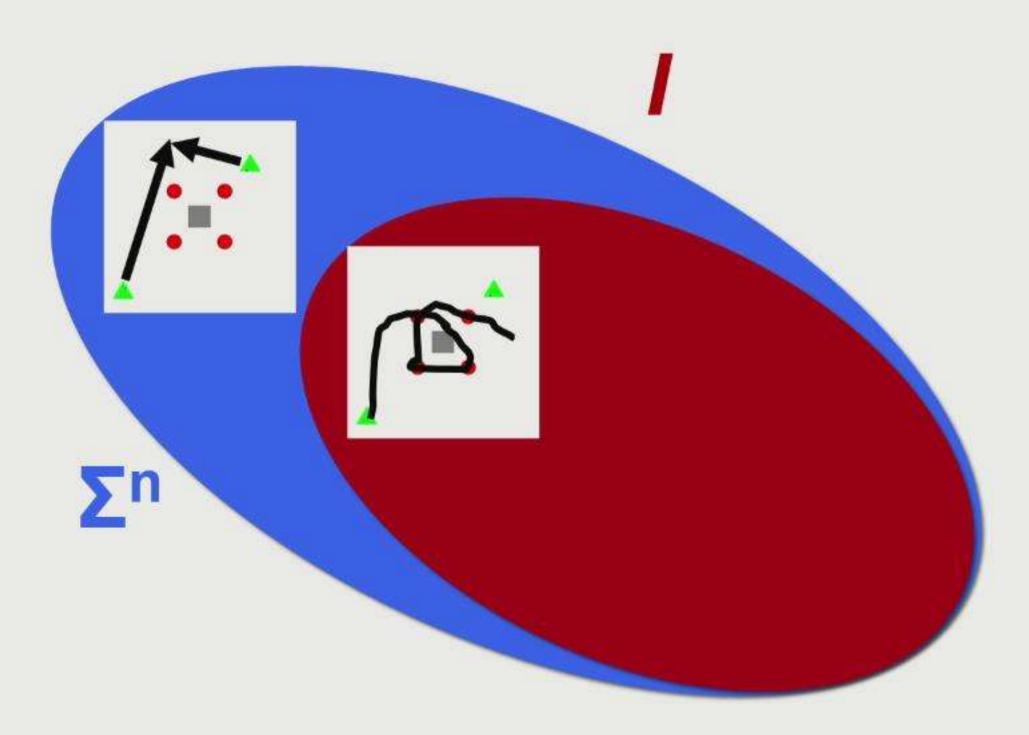




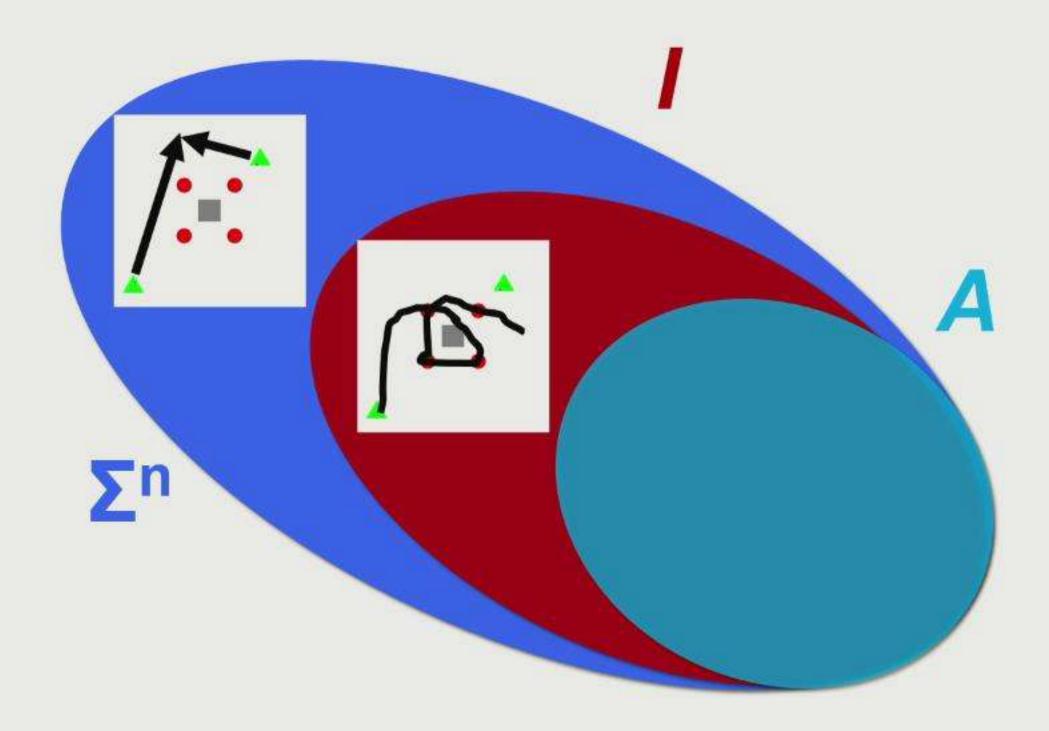
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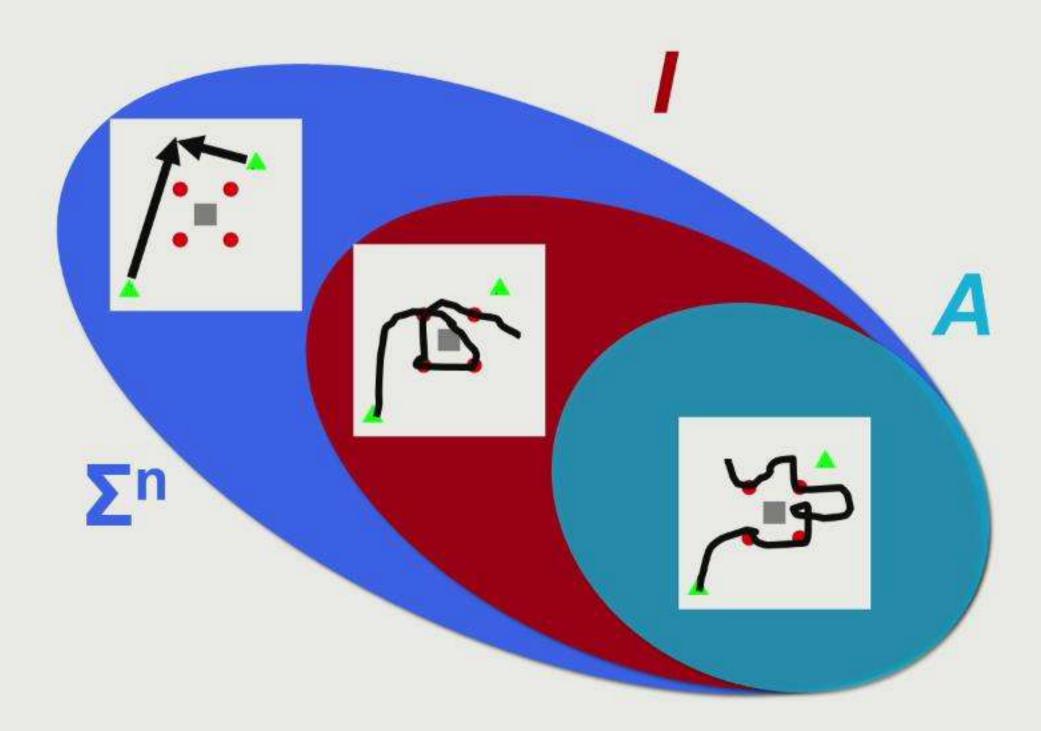
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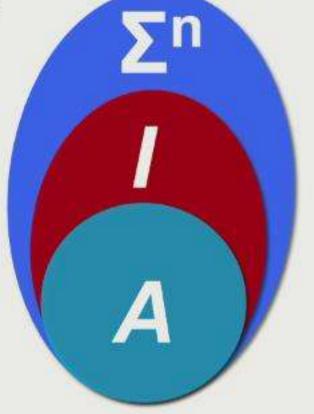
Given H, S, n, an error probability $0 \le \varepsilon \le 1$, and bounds $0 < \lambda$, $\rho \le 1$,

a distribution $D: \Sigma^* \to [0,1]$ is an *improvising distribution* if:

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0

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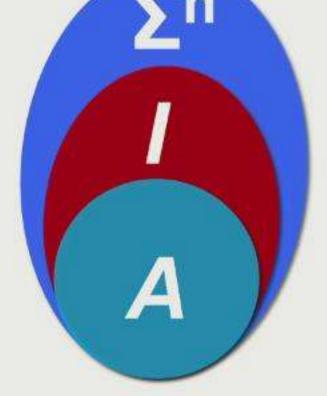
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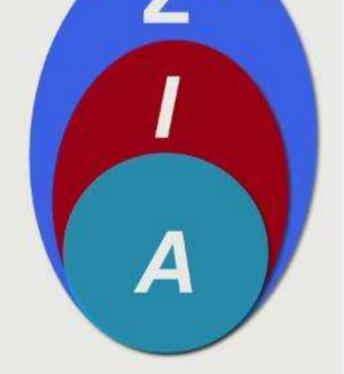
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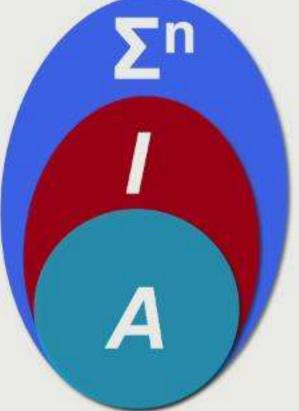
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• $\forall w \in I, \ \lambda \leq D(w) \leq \rho$

Randomness req.



Definition of Control Improviser

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The CI instance $C = (\mathcal{H}, \mathcal{S}, n, \epsilon, \lambda, \rho)$ is *feasible* if *D* exists.

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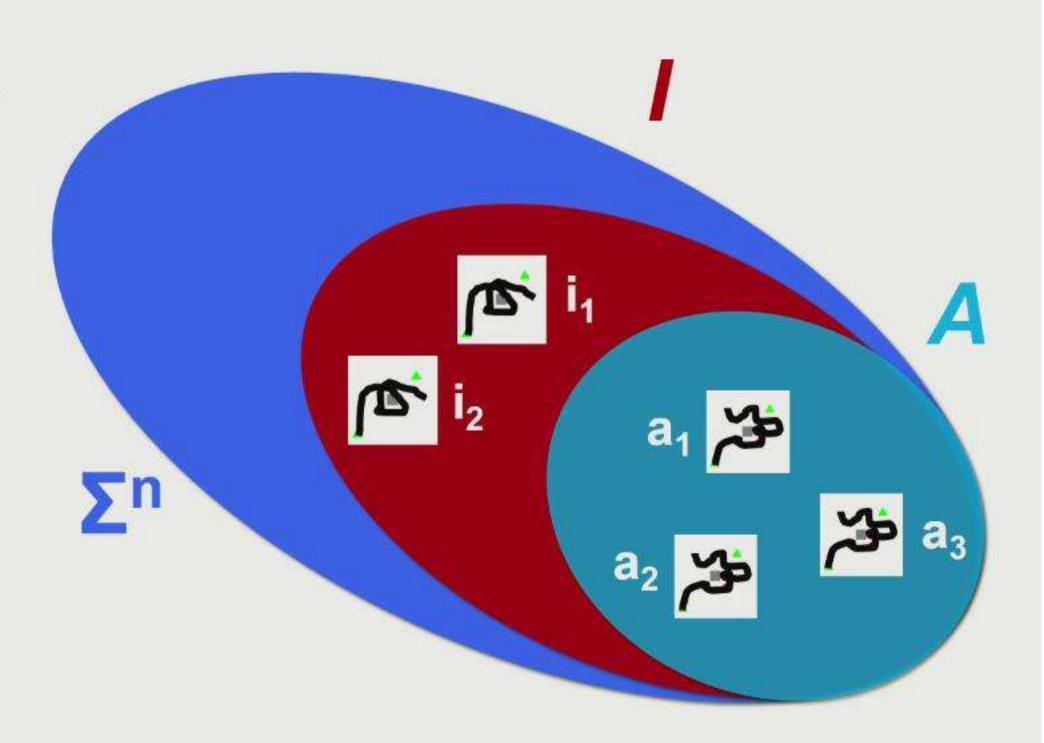
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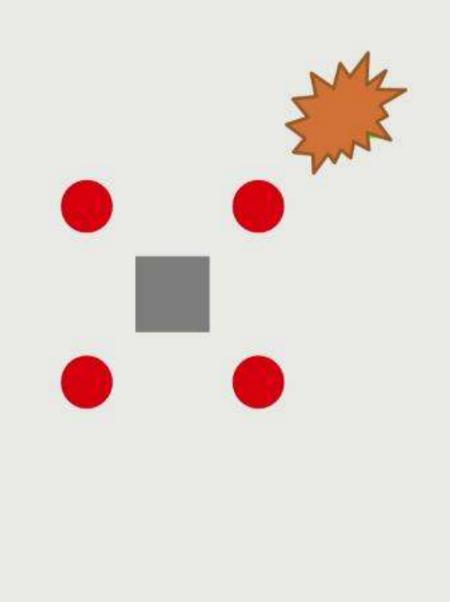
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An improviser is a probabilistic algorithm sampling from D.

Example

- Suppose $A = \{a_1, a_2, a_3\}$ and $I \setminus A = \{i_1, i_2\}$
- With $\varepsilon = \rho = \frac{1}{4}$:
 - Return a₁, a₂, and a₃ with probability ¼
 - Return i₁ and i₂ with probability ½

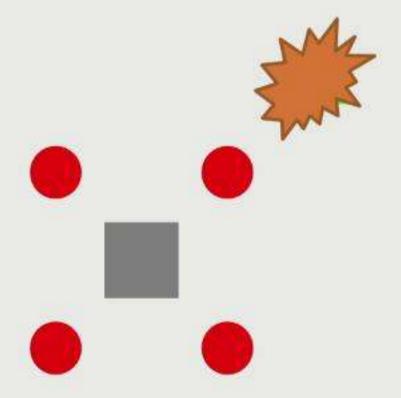






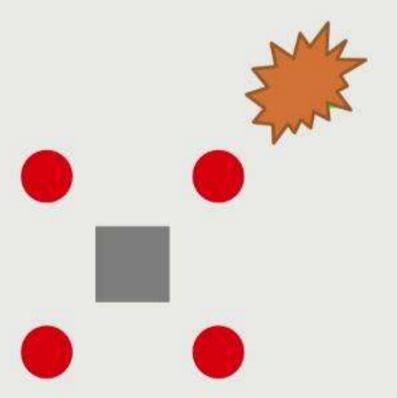
Fremont and Seshia, Reactive Control Improvisation, CAV 2018.

- Changes to definition:
 - System and adversary alternate picking symbols (2-player game)



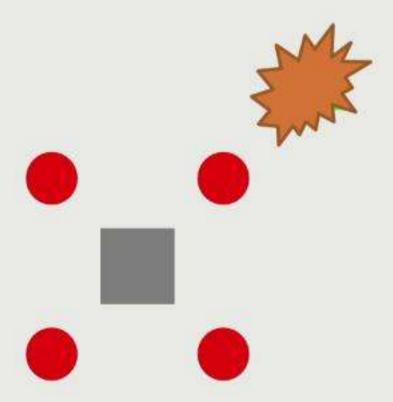


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 - Hard, soft, randomness constraints hold against every adversary



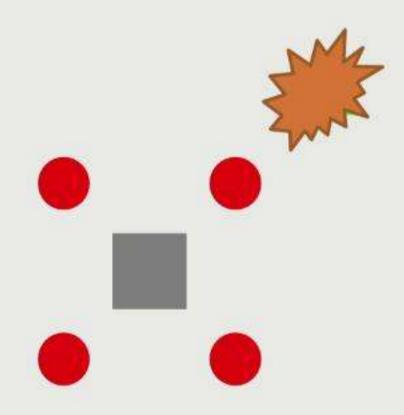


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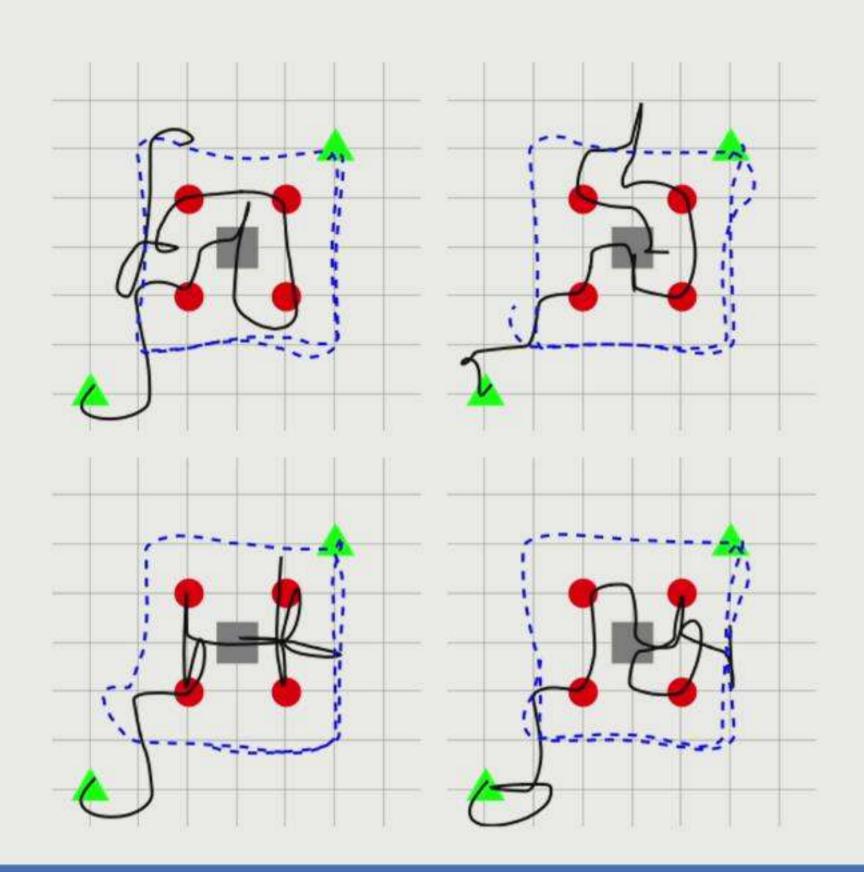
- Changes to definition:
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 - Hard, soft, randomness constraints hold against every adversary
 - Improviser → improvising strategy
- This enables randomized reactive synthesis (for bounded time)





RCI Example

- Hard constraint:
 - Visit the 4 circles in 30 moves, avoiding the adversary
- Soft constraint:
 - 75% of the time, visit each circle exactly once
- Randomness requirement:
 - Use the smallest feasible ρ
 (about 10⁻¹²)



Outline

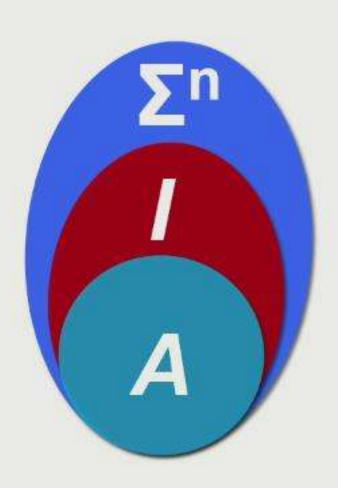
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Existence of Improvisers

• When is it possible to solve a CI problem?

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- When is it possible to solve a CI problem?
- Feasibility just requires I and A to be large enough (with $\lambda = 0$)

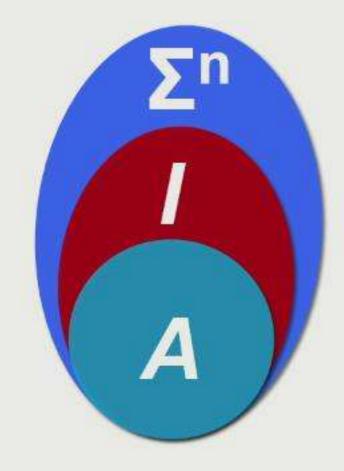


Existence of Improvisers

- When is it possible to solve a CI problem?
- Feasibility just requires I and A to be large enough (with $\lambda = 0$)

Theorem. A CI instance $C = (H, S, n, \epsilon, 0, \rho)$ is feasible if and only if:

- $|I| \geq 1/\rho$
- $|A| \geq (1 \epsilon)/\rho$.



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- S and the improvisers it generates run in time polynomial in |C|

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- There is a polynomial-time improvisation scheme:
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 - Count them and check the feasibility inequalities
 - 3. Sample from A or I \ A with the right probabilities

- Poly-time improvisation schemes for:
 - DFAs (examples in music and robotic planning)

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 - Unambiguous context-free grammars (fuzz testing)

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\mathcal{H}			unamb.	amb.	
DFA		poly-time	poly-time		
CFG	unambiguous	poly-time	#P		
	ambiguous		•		LD.
NFA				11	ı

Fremont et al., Control Improvisation, arXiv:1704.06319, extending FSTTCS 2015.

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 - DFAs (examples in music and robotic planning)
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 Approximate scheme for Boolean formulas, using SAT solvers

	\mathcal{S}	DFA	CFG		NFA
\mathcal{H}			unamb.	amb.	
DFA		poly-time	poly-time		
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Theorem. An RCI instance is feasible if and only if:

- $W(I) \geq 1/\rho$
- $W(A) \geq (1 \epsilon)/\rho$.

Width

Number of "winning" plays, minimized over all adversaries

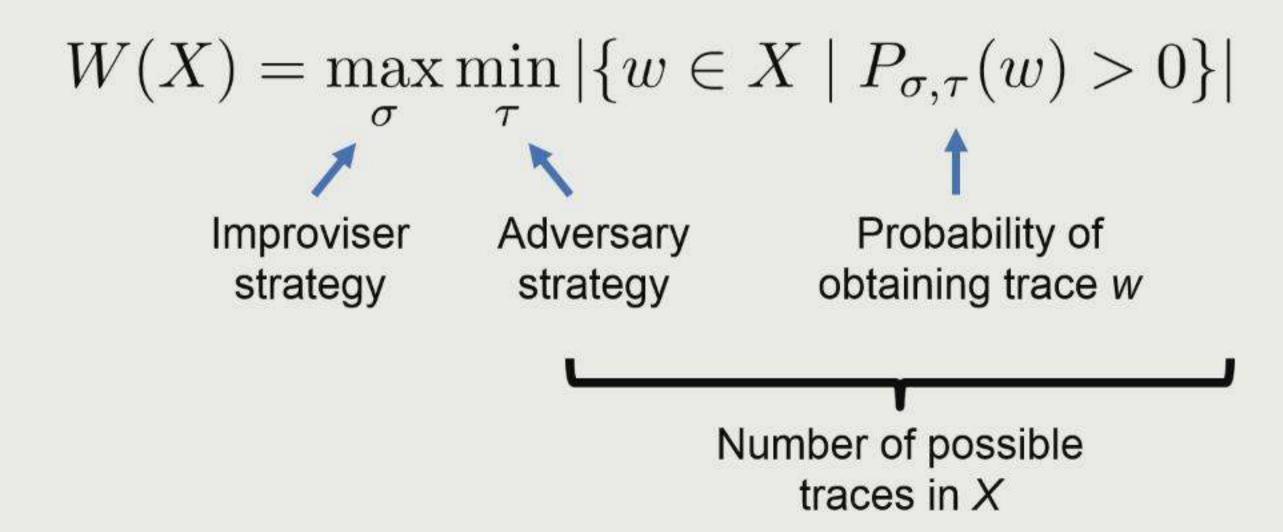
Width

Number of "winning" plays, minimized over all adversaries

$$W(X) = \max_{\sigma} \min_{\tau} |\{ w \in X \mid P_{\sigma,\tau}(w) > 0 \}|$$

Width

Number of "winning" plays, minimized over all adversaries



Algorithms for RCI

Algorithms for RCI

 Again, efficient scheme for DFA specifications

$\mathcal{H} \setminus \mathcal{S}$	RSG	DFA	NFA	CFG	LTL	$oxed{LDL}$		
RSG	poly-time				,			
DFA	pory-	·ume						
NFA		*						
CFG	PSPACE							
LTL	ISIACE							
LDL								

Algorithms for RCI

- Again, efficient scheme for DFA specifications
- PSPACE-equivalent for temporal logics

$\mathcal{H} \setminus \mathcal{S}$	RSG	DFA	NFA	CFG	LTL	LDL		
RSG	poly-time							
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Outline

- Control Improvisation
 - Definition and motivating applications
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- 3. Designing and Analyzing Perception Systems
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- Collecting examples of realworld scenes is expensive
- We would like to generate realistic scenes automatically for training or testing



 Scene space is large, highdimensional



- Scene space is large, highdimensional
- Realistic scenes have complex geometric constraints



Car Model



Car Location



Car Orientation



Number of Cars



Reference



Scene Background



Car Color



Weather



Time of Day

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- We may be interested in particular types of scenes (e.g. highway traffic)



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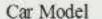


Time of Day

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- Realistic scenes have complex geometric constraints
- We may be interested in particular types of scenes (e.g. highway traffic)
- Generating these is another instance of CI, but with what kind of specification?







Car Location

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Specifications for Scenes

Again, hard, soft, randomness constraints:

- Objects should not intersect
- 20% of the images should be at night



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How to encode these? A probabilistic programming language

Defines a distribution over scenes

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Bumper-to-Bumper Traffic (~20 lines of Scenic)



SCENIC: a Scenario Description Language

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SCENIC: a Scenario Description Language

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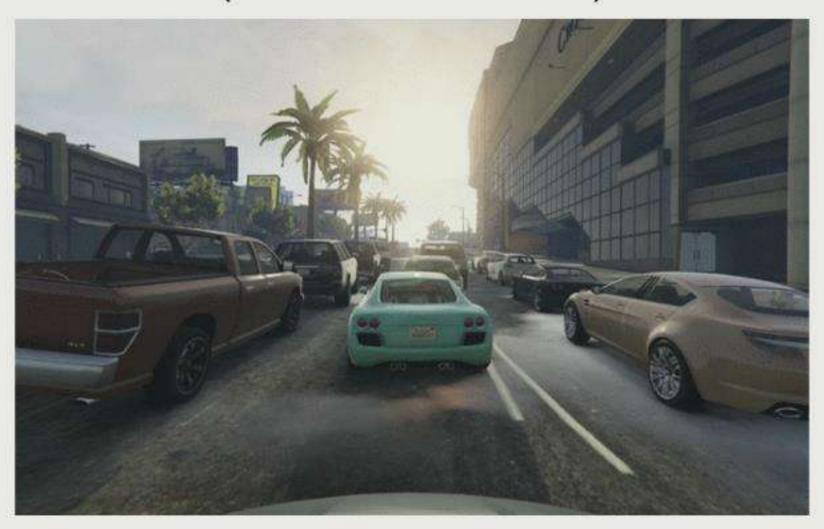
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Bumper-to-Bumper Traffic (~20 lines of Scenic)



- Defines a distribution over scenes
- Readable, concise syntax for common geometric relationships
- Domain-specific sampling techniques based on configuration spaces
- Declarative hard and soft constraints

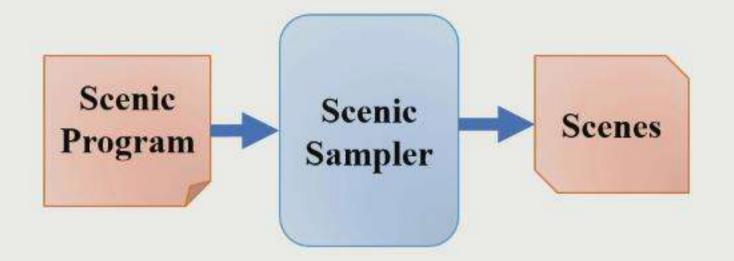
Bumper-to-Bumper Traffic (~20 lines of Scenic)





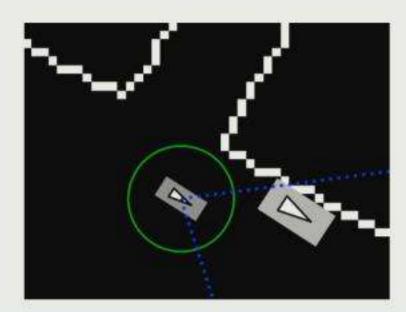
parkedCar.sc

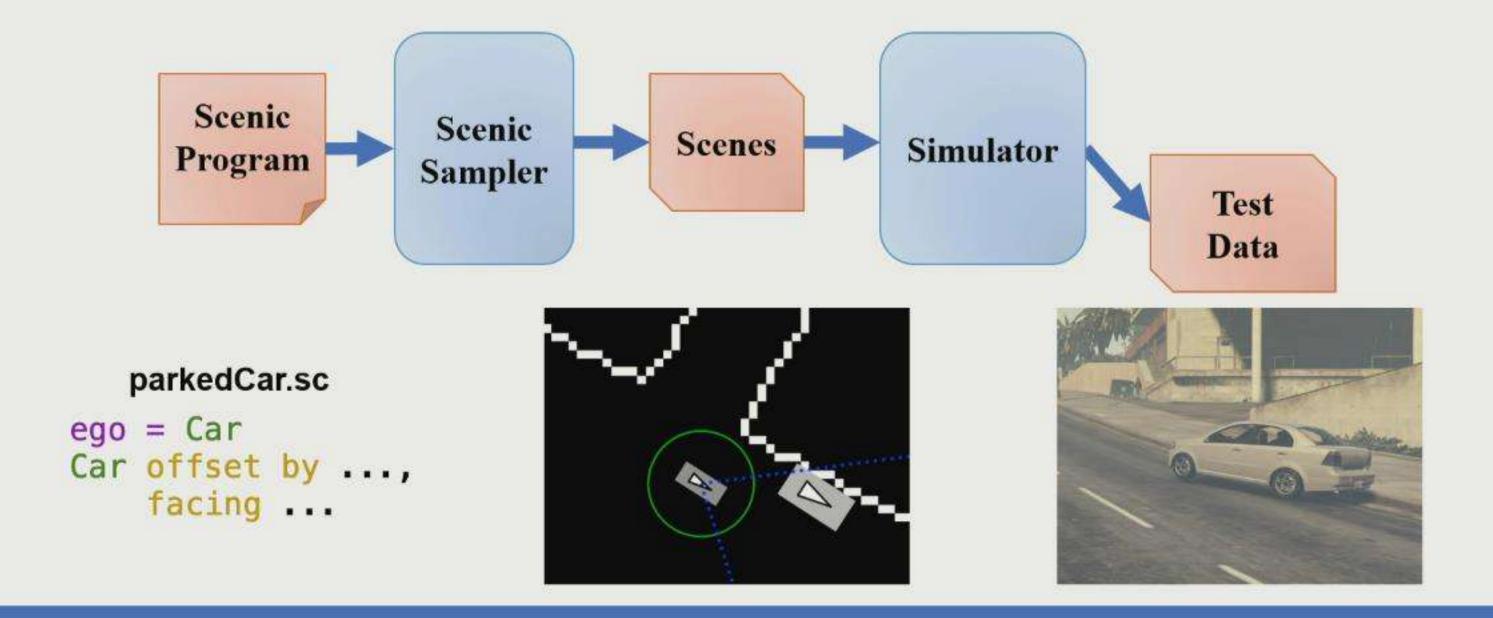
```
ego = Car
Car offset by ...,
facing ...
```

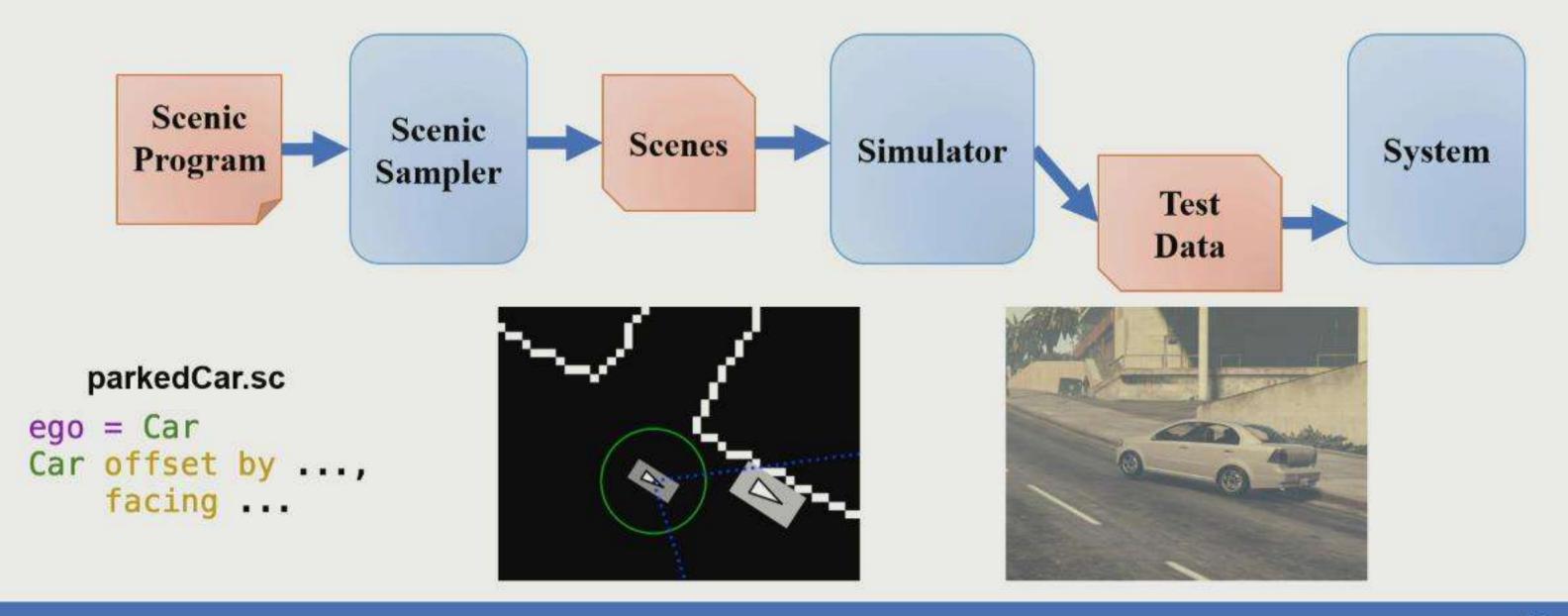


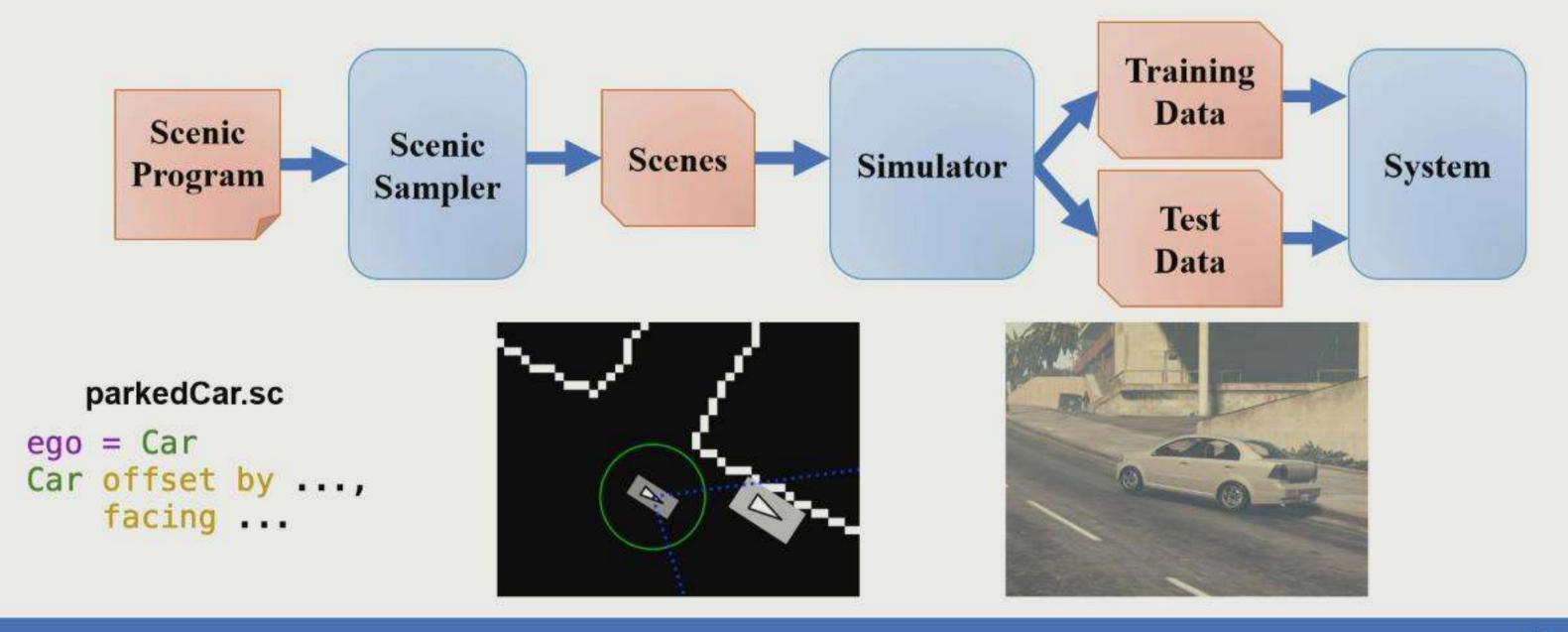
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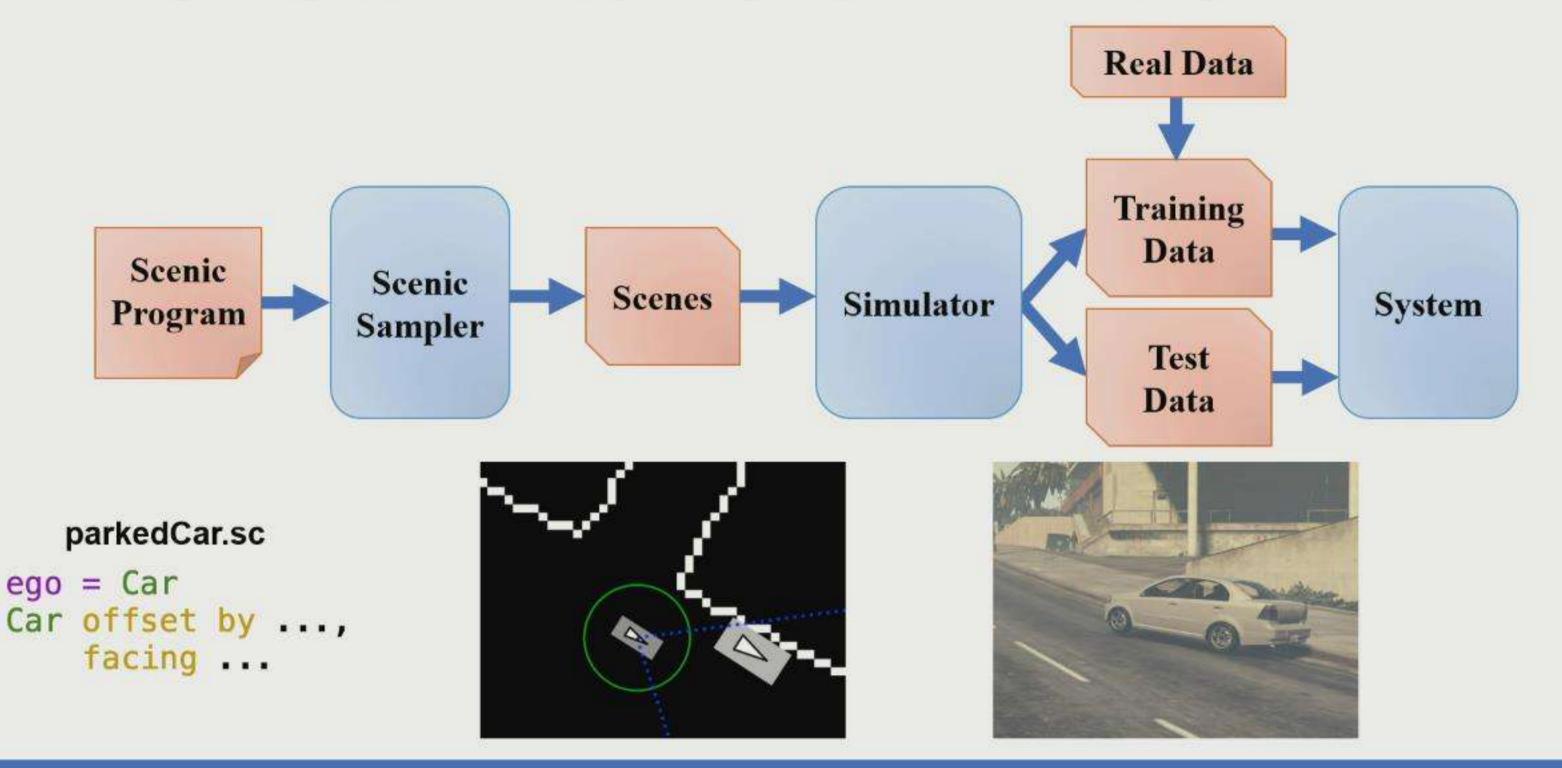
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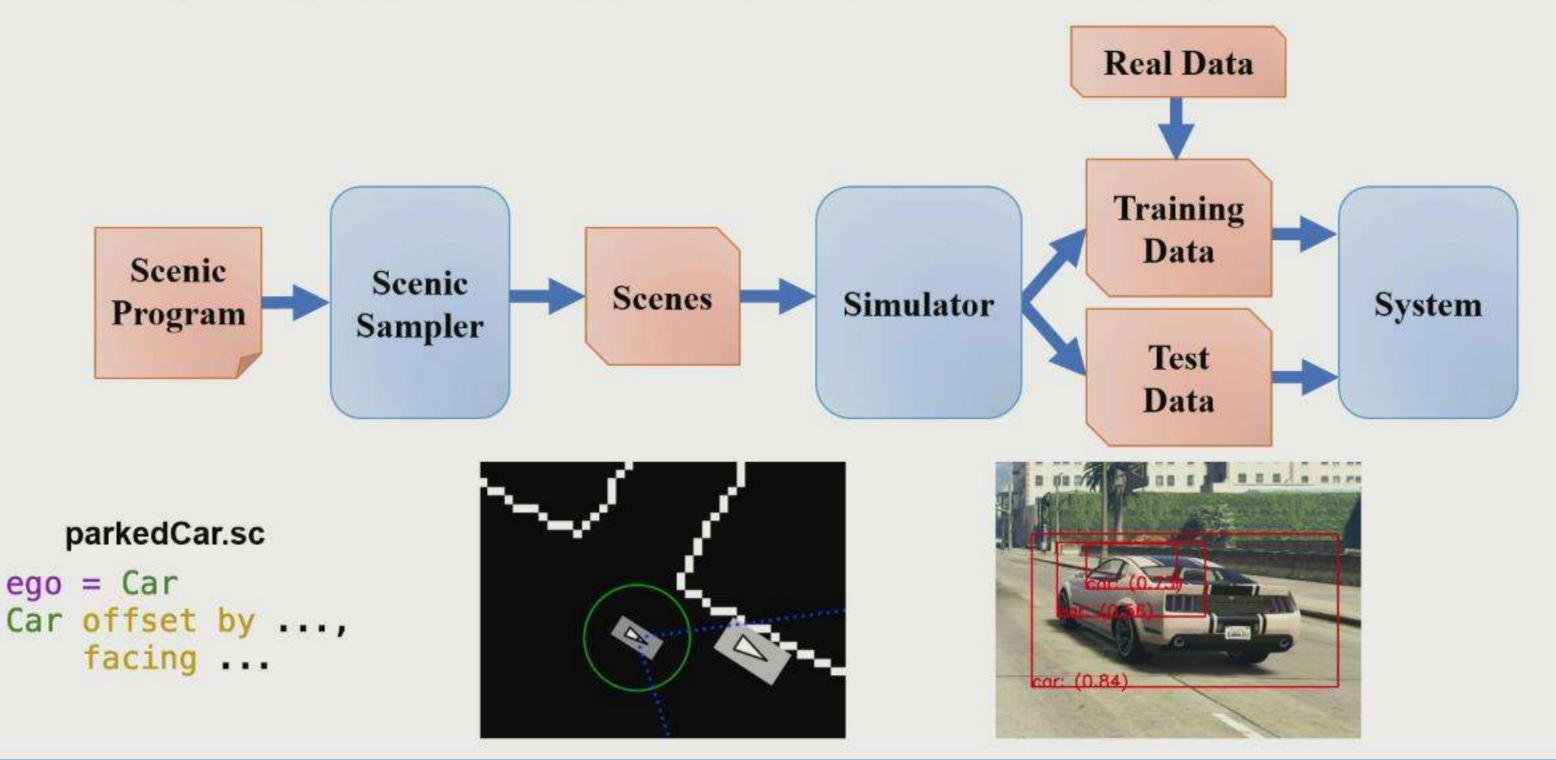


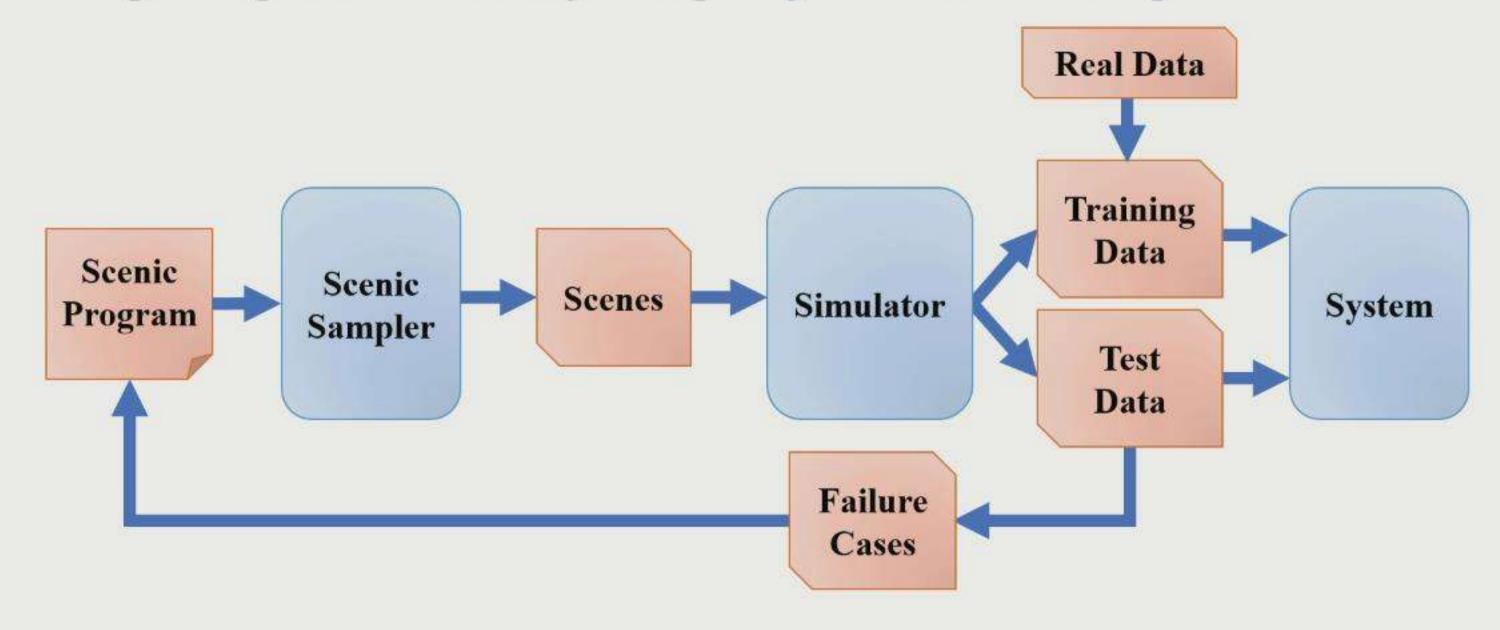






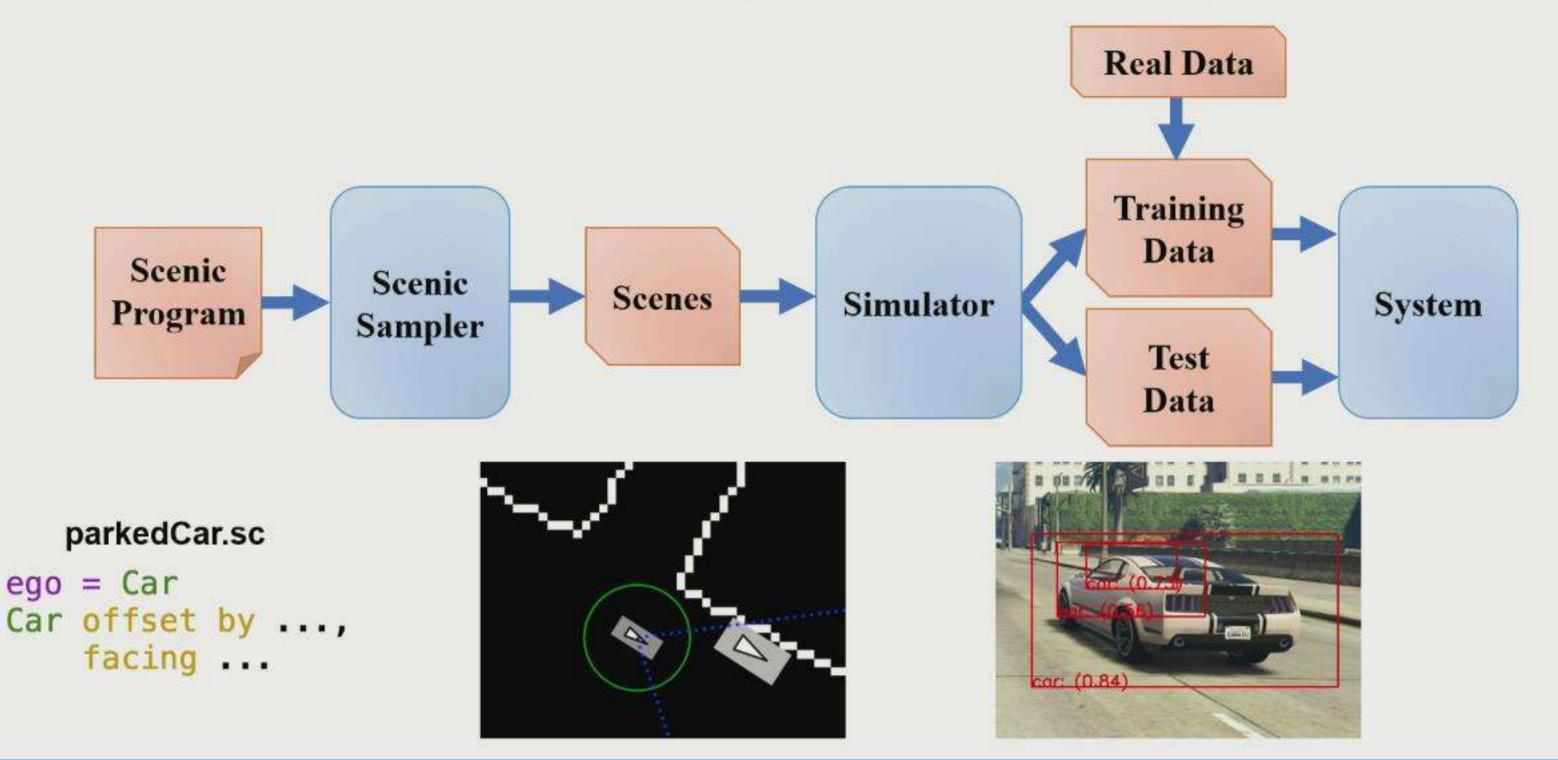






Related Work: PPLs

- [1] Gordon et al., FOSE 2014.
- [2] Ritchie, NIPS Workshop on Prob. Prog., 2014.
- [3] Kulkarni et al., CVPR 2015.



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- Scenic's semantics is that of a standard imperative PPL (e.g. [1])
- PPLs have been used as generative models of graphics
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- The main differences in Scenic:
 - · emphasis on generation, not inference
 - domain-specificity

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Related Work: Graphics & ML

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- Scene synthesis from examples or grammars [4, 5]
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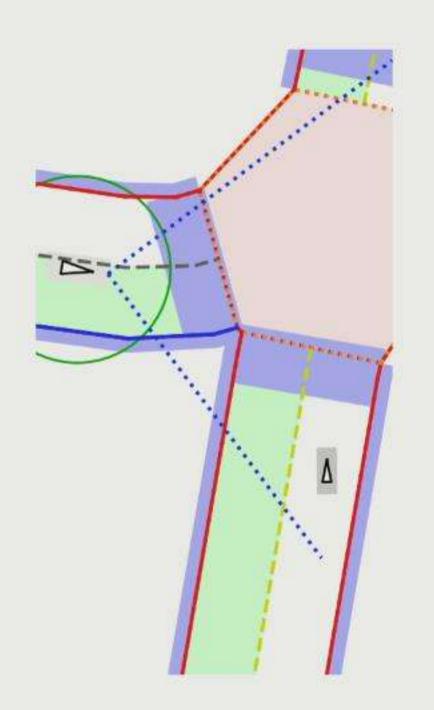
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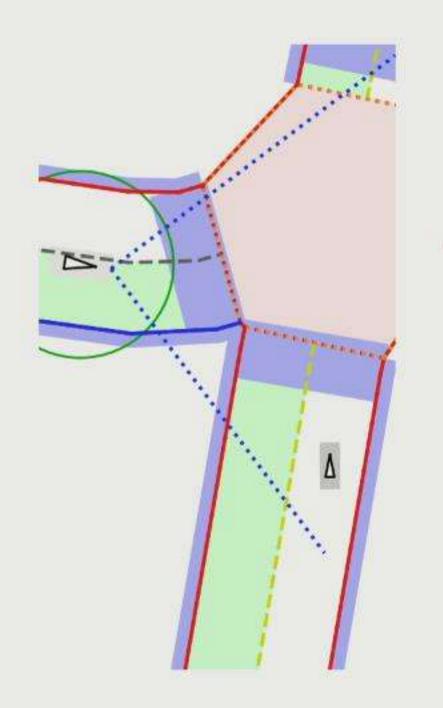
- Scene synthesis from examples or grammars [4, 5]
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- The main differences in Scenic:
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 - easy to use & interpret

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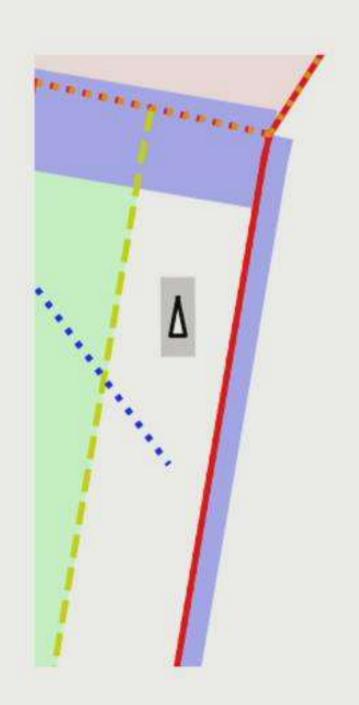


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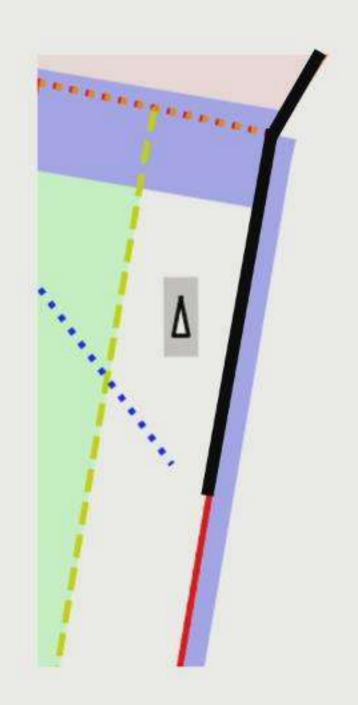


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badAngle = Uniform(1.0, -1.0) * (10, 20) deg
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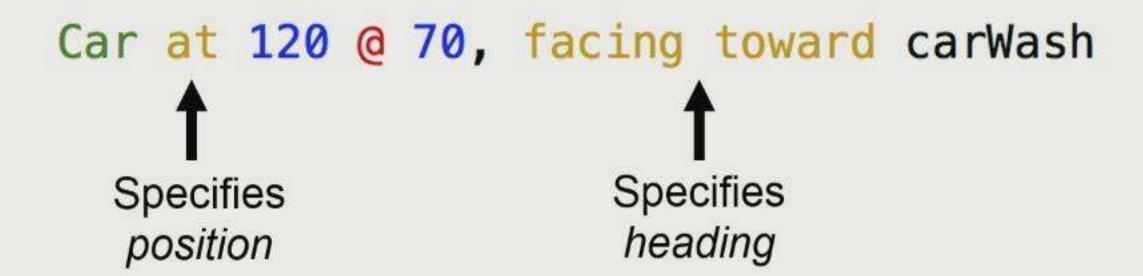






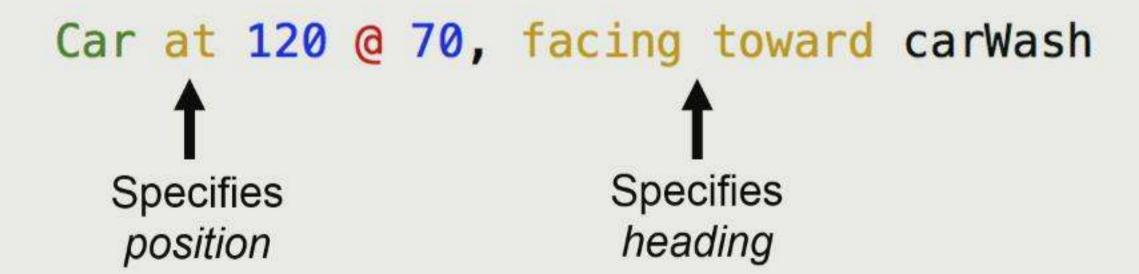
Specifiers

- Syntactic elements defining properties of an object
 - Can be combined in arbitrary ways to build up a complete definition



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- Scenic has 9 completely different position specifiers
 - All mirroring ways we use natural language to talk about positions

Specifiers Capture Dependencies

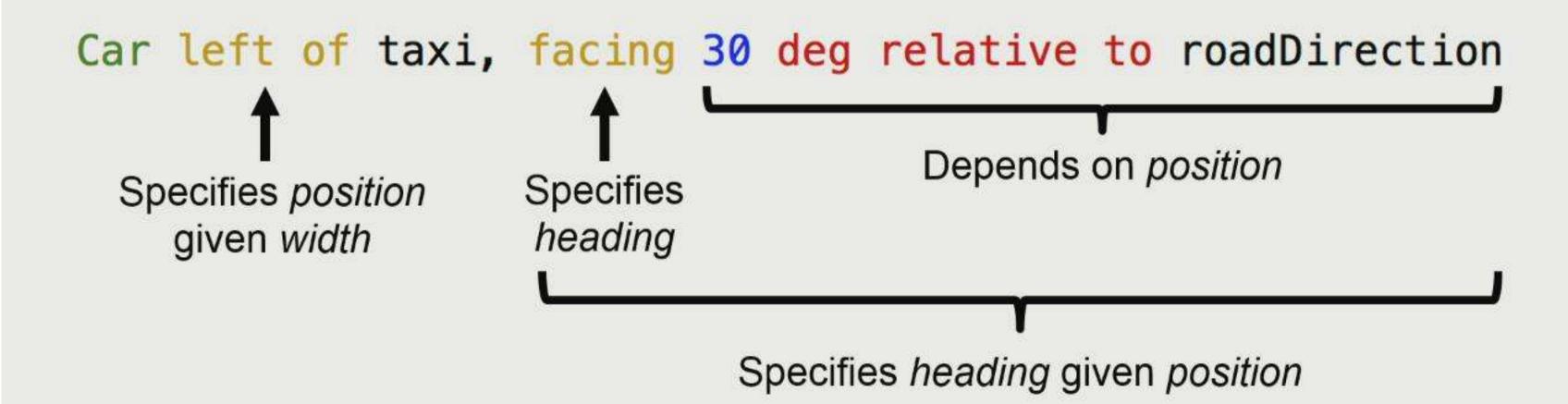
Can depend on other properties and other specifiers

Car left of taxi, facing 30 deg relative to roadDirection

Specifies position given width

Specifiers Capture Dependencies

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Domain-Specific Sampling Techniques

 Prune infeasible parts of the space by dilating polygons

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 Prune infeasible parts of the space by dilating polygons

require distance to taxi <= 5 require 15 deg <= (relative heading of taxi) <= 45 deg



Applications of Scenic

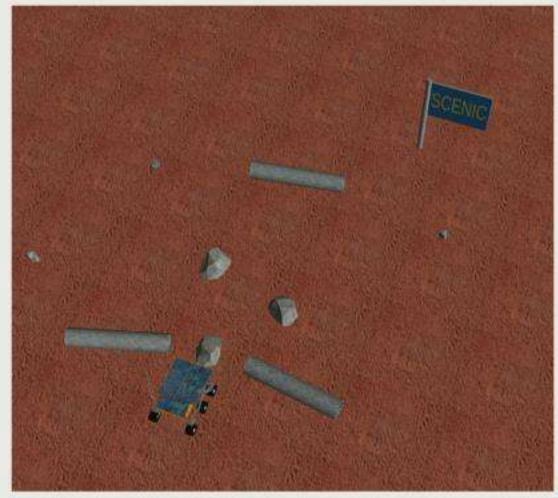
- Exploring system performance
 - Generating specialized test sets



Applications of Scenic

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 - Generating specialized test sets

- Debugging a known failure
 - Generalizing in different directions



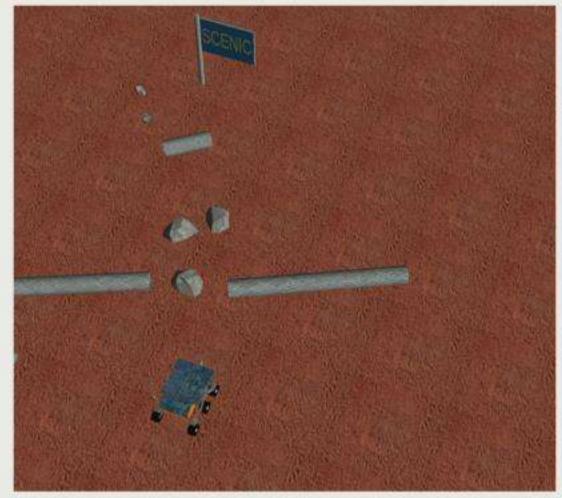


Applications of Scenic

- Exploring system performance
 - Generating specialized test sets

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- Designing more effective training sets
 - Training on hard cases





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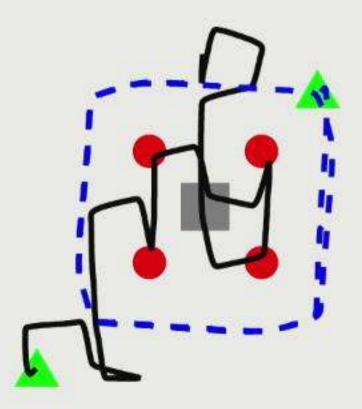
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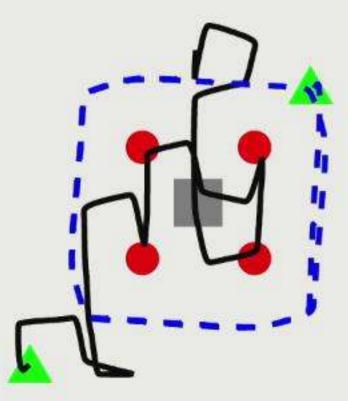




Summary and Conclusions

- Algorithmic Improvisation: a framework for randomized synthesis
 - Data generation, planning, fuzz testing, music improvisation, human modeling...
- Applications to safe autonomy
 - Controller synthesis, synthetic data generation
- Randomized formal methods can contribute in many ways to the design and verification of autonomous systems





Fundamentally new problem in CS → rich possibilities at all levels

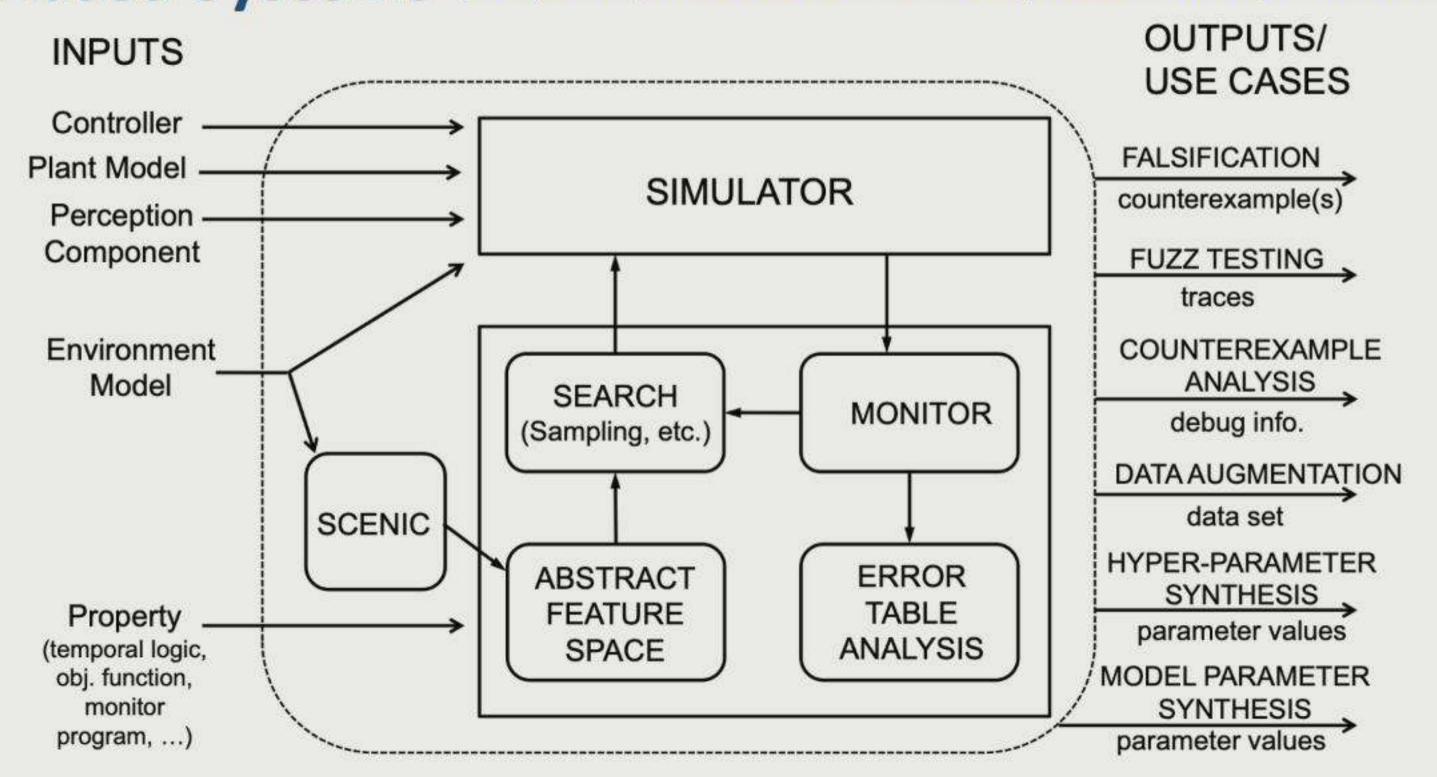
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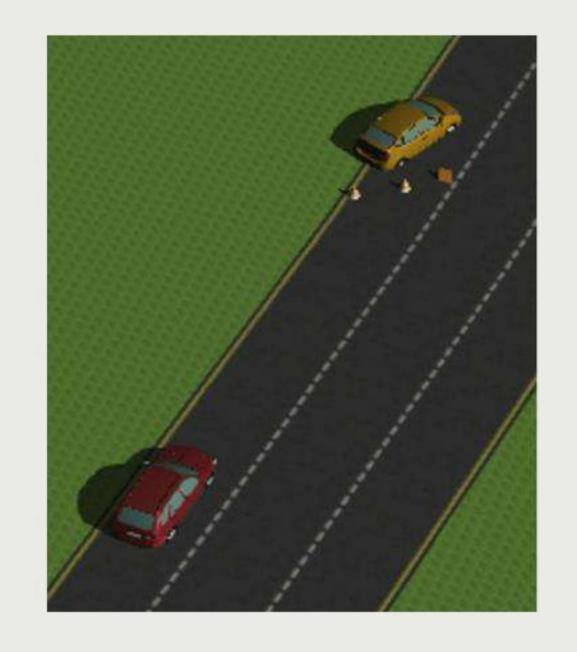
Verifying ML/Al-based systems: the VerifAl toolkit [CAV 2019]

VERIFAI: A Toolkit for the Design and Analysis of

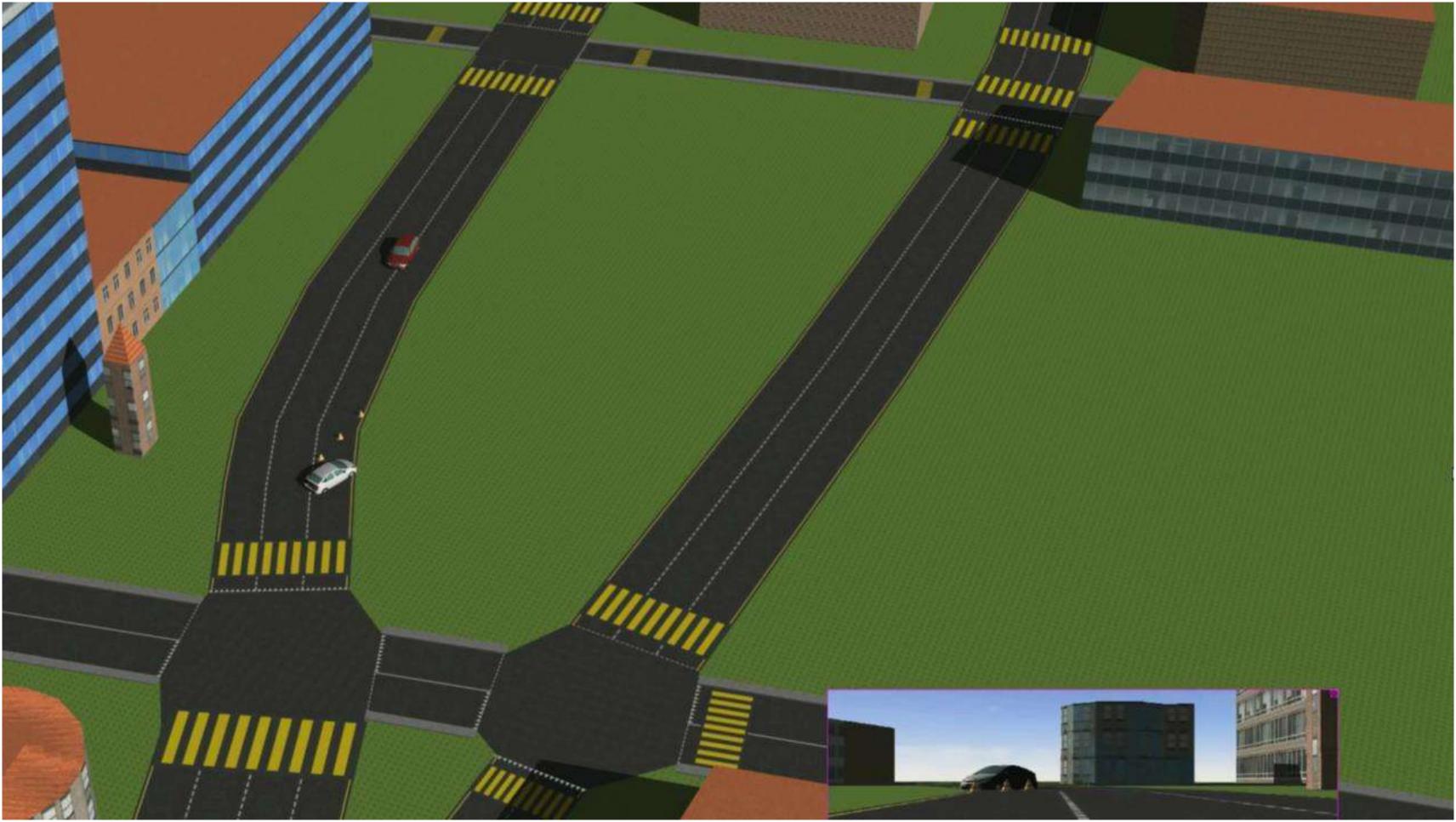
Al-Based Systems https://github.com/BerkeleyLearnVerify/VerifAI



Modeling Case Study in the Scenic Language



Fremont et al., Scenic: A Language for Scenario Specification and Scene Generation, PLDI 2019 (to appear).



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Thank you!