

Faculty
Summit
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# Private Predictions with Homomorphic Encryption

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#### Presentation Outline

Privacy in Prediction

SEAL

Examples





### Privacy in Prediction







Medical

Genomic

Financial

#### Wait! What about Privacy?

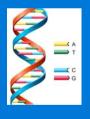


## Who else is going to see your DNA sequence and the prediction?



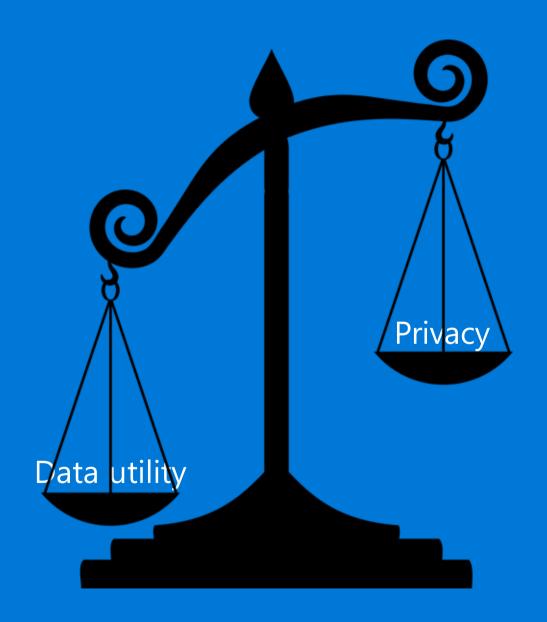
### Who else is going to see your DNA sequence and the prediction?

"Sorry, your DNA does not match this job description."



"Here is an advertisement that according to your DNA you will not be able to resist."

"We are not giving you this loan because it is not in your DNA to pay it back."

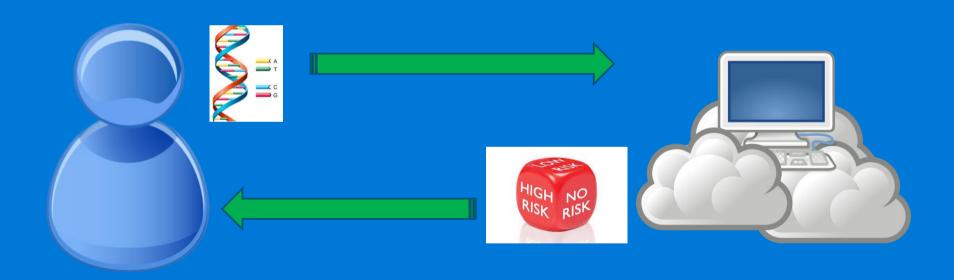


### Can encryption help?

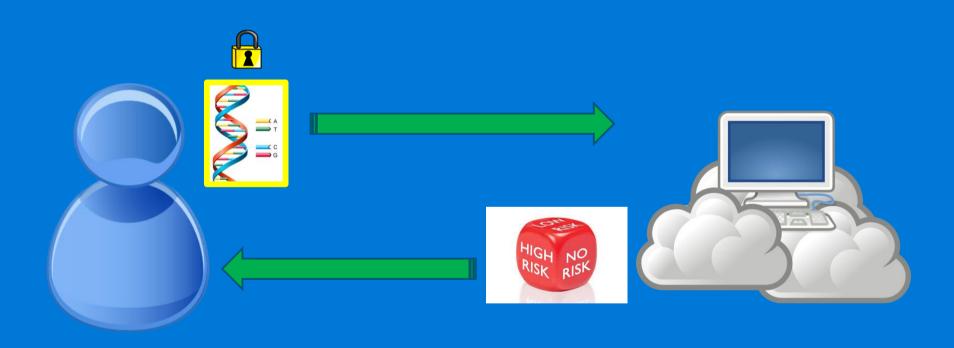
#### Can encryption help?

Possibly. But need *very* special type of encryption!

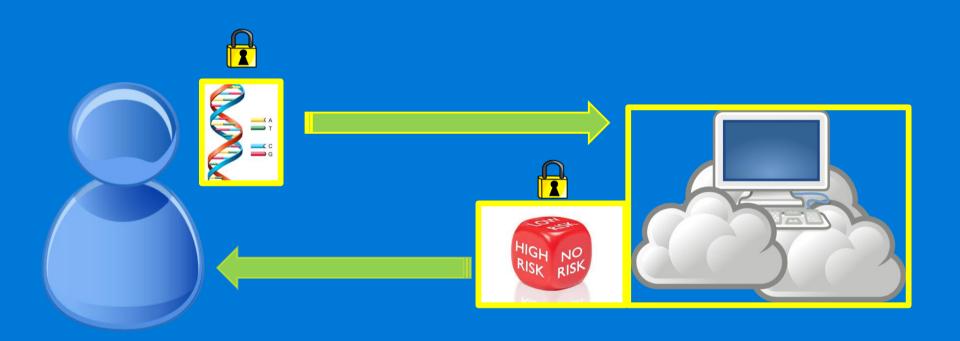
#### Inference over encrypted data



#### Inference over encrypted data



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Yes. Homomorphic encryption.

#### Fully Homomorphic Encryption Using Ideal Lattices

Craig Gentry
Stanford University and IBM Watson
cgentry@cs.stanford.edu

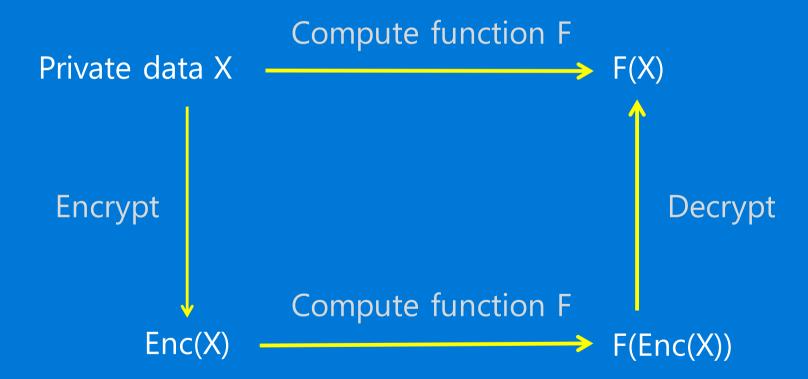
#### **ABSTRACT**

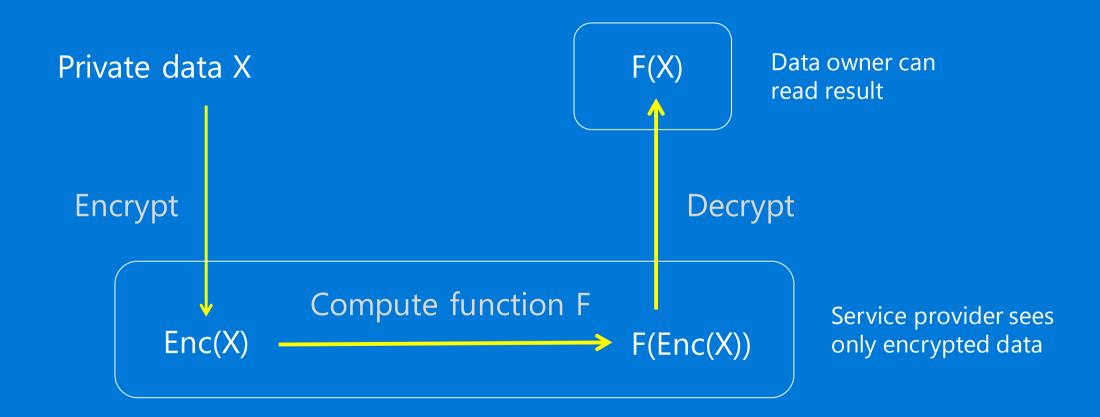
We propose a fully homomorphic encryption scheme – i.e., a scheme that allows one to evaluate circuits over encrypted data without being able to decrypt. Our solution comes in three steps. First, we provide a general result – that, to construct an encryption scheme that permits evaluation of arbitrary circuits, it suffices to construct an encryption scheme that can evaluate (slightly augmented versions of) its own decryption circuit; we call a scheme that can evaluate its (augmented) decryption circuit bootstrappable.

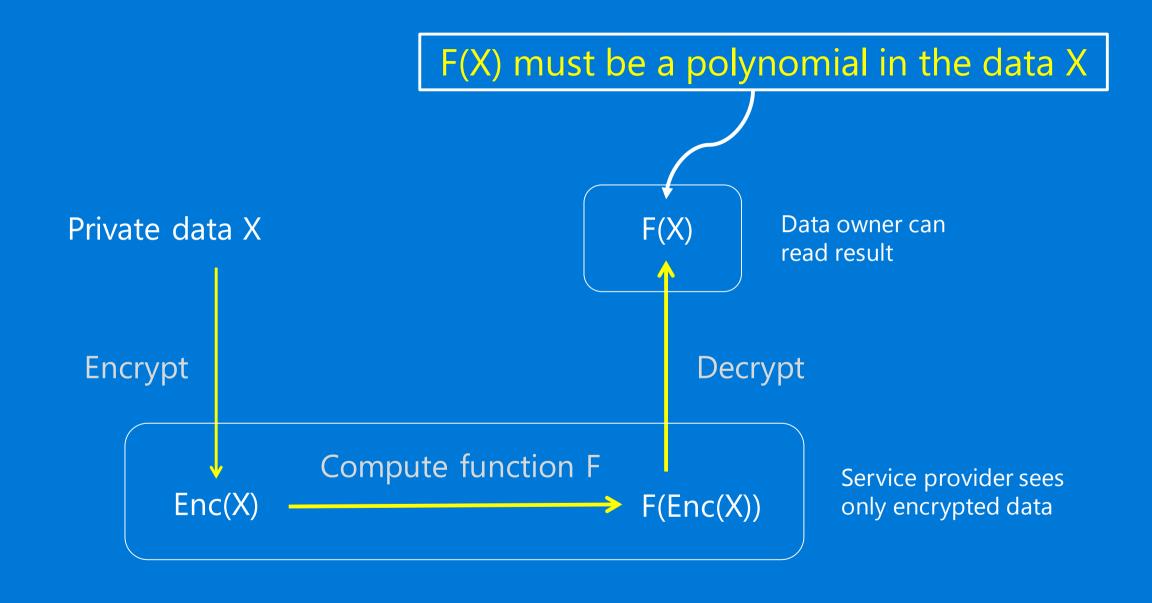
Next, we describe a public key encryption scheme using *ideal lattices* that is *almost* bootstrappable. Lattice-based cryptosystems typically have decryption algorithms with low

duced by Rivest, Adleman and Dertouzos [54] shortly a ter the invention of RSA by Rivest, Adleman and Sham [55]. Basic RSA is a multiplicatively homomorphic encryption scheme – i.e., given RSA public key pk = (N, e) and ciphertexts  $\{\psi_i \leftarrow \pi_i^e \mod N\}$ , one can efficiently compute  $\prod_i \psi_i = (\prod_i \pi_i)^e \mod N$ , a ciphertext that encrypts the product of the original plaintexts. Rivest et al. [54] asked a natural question: What can one do with an encryptic scheme that is fully homomorphic: a scheme  $\mathcal{E}$  with an efficient algorithm Evaluate that, for any valid public key plany circuit C (not just a circuit consisting of multiplication gates), and any ciphertexts  $\psi_i \leftarrow \mathsf{Encrypt}_{\mathcal{E}}(pk, \pi_i)$ , output

$$\psi \leftarrow \mathsf{Evaluate}_{\mathcal{E}}(\mathsf{pk}, C, \psi_1, \dots, \psi_t)$$
,







### SEAL

#### Simple Encrypted Arithmetic Library – SEAL

Easy-to-use homomorphic encryption library



Homomorphic encryption library by MSR Cryptography Research group Focus on ease-of-use, good API design, good engineering

Written in C++11

Contains .NET wrappers for entire public API

Source code publicly available

Under active development

http://sealcrypto.codeplex.com

Choose encryption parameters

Create public and secret keys

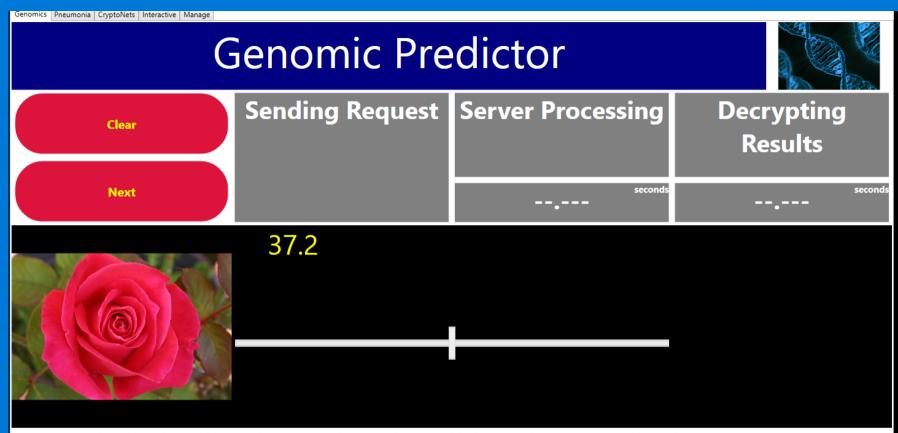
Encrypt some integers (encode + encrypt)

Do homomorphic evaluation

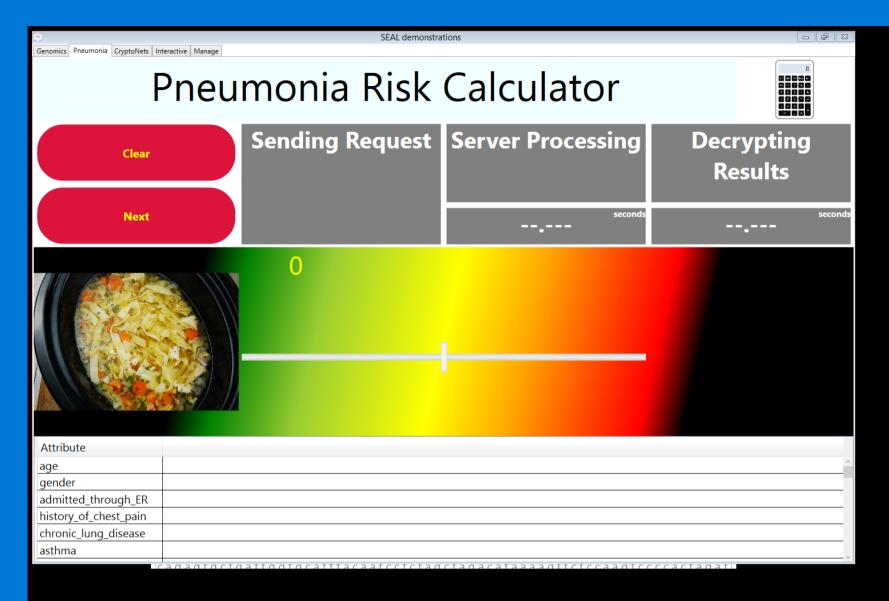
Decrypt the results (decrypt + decode)

```
void simple example()
    EncryptionParameters parms;
   parms.poly modulus() = "1x^2048 + 1";
   parms.coeff modulus() = ChooserEvaluator::default parameter options().at(2048);
   parms.plain modulus() = 1 << 10;</pre>
   KeyGenerator keygen(parms);
   keygen.generate();
   auto public key = keygen.public key();
   auto secret key = keygen.secret key();
   BinaryEncoder encoder(parms.plain modulus());
   Encryptor encryptor(parms, public key);
   auto plain1 = encoder.encode(5);
   auto plain2 = encoder.encode(7);
   auto enc1 = encryptor.encrypt(plain1);
   auto enc2 = encryptor.encrypt(plain2);
   Evaluator evaluator(parms);
   auto enc product = evaluator.multiply(enc1, enc2);
   auto enc sum = evaluator.add(enc1, enc2);
   Decryptor decryptor(parms, secret key);
   auto plain product = decryptor.decrypt(enc product);
   auto plain sum = decryptor.decrypt(enc sum);
   uint64 t product = encoder.decode uint64(plain product);
   uint64 t sum = encoder.decode uint64(plain sum);
   cout << product << " " << sum << endl;</pre>
```

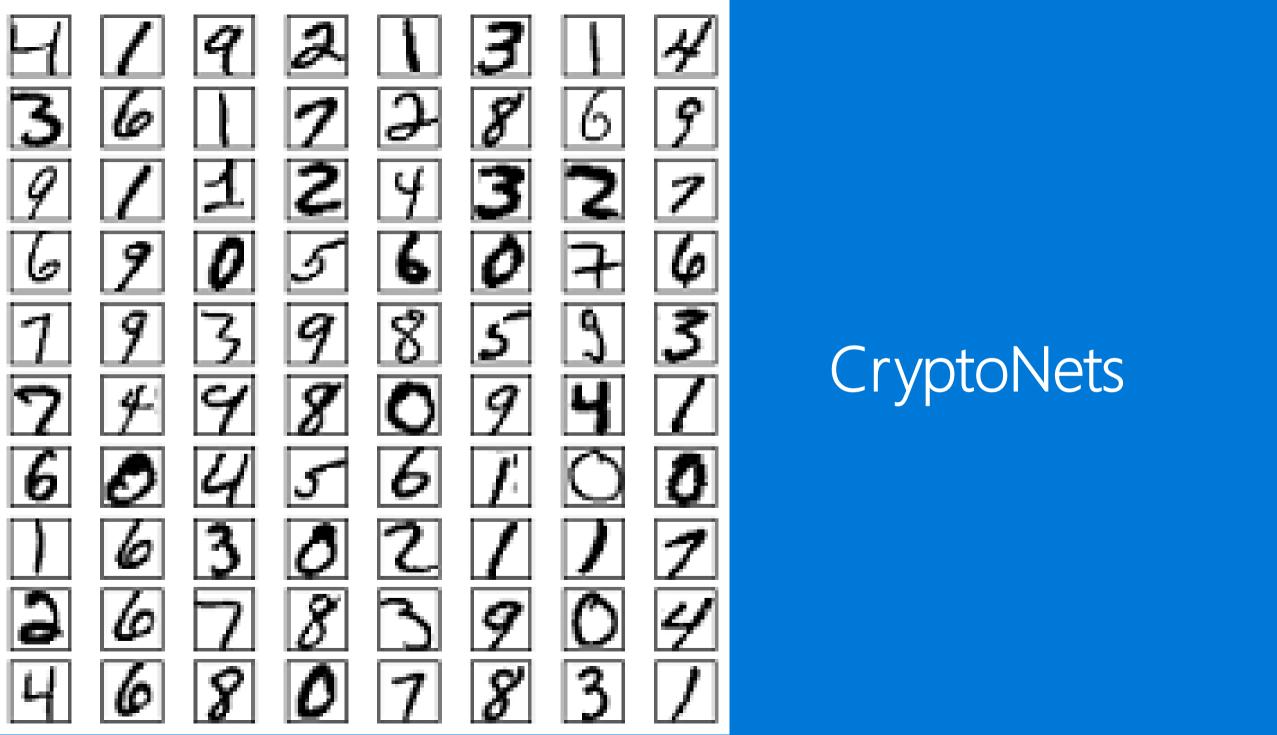
### Examples







Demo: Pneumonia Risk Prediction



### Thank you!

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