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Improving Detection in GWAS by Discovering and Accounting for Race, Relatedness, and Other Hidden Relationships

Jennifer Listgarten
Researcher
Microsoft Research

joint work with:
David Heckerman & Carl Kadie,
Microsoft Research
Hyun Min Kang, UCLA

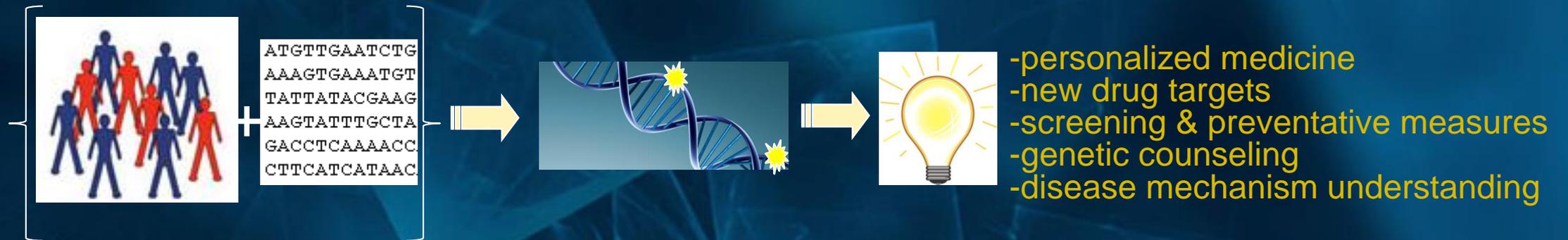
GWAS Overview

Input:

- A set of people with/without a disease (e.g., cancer)
- Measure a large set of genetic markers for each person (e.g., measurement of DNA at various points)

Desired output:

- A list of genetic markers causing the disease



Major Statistical Modeling Challenge

Hidden structure in the data leads to:

1. **Loss of power** to detect signal of interest
2. **Spurious hits** (*i.e.*, false positives) due to unaccounted confounding signal

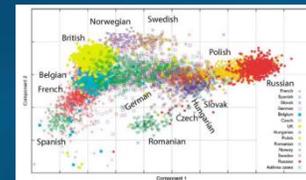
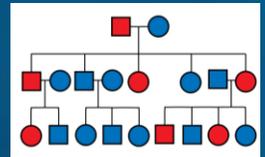


Hidden Structure?

Fundamental assumption in most statistical tests is that the subjects are sampled independently from the same distribution

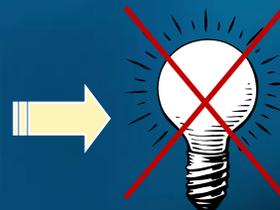
BUT...IF subjects:

- Are closely/distantly **related** to each other.
- Comprise different **ethnicities**
- Have samples that contain **batch effects** (processed slightly differently, and not at random)
- *etc.* (**unknown confounders** we don't yet know about)

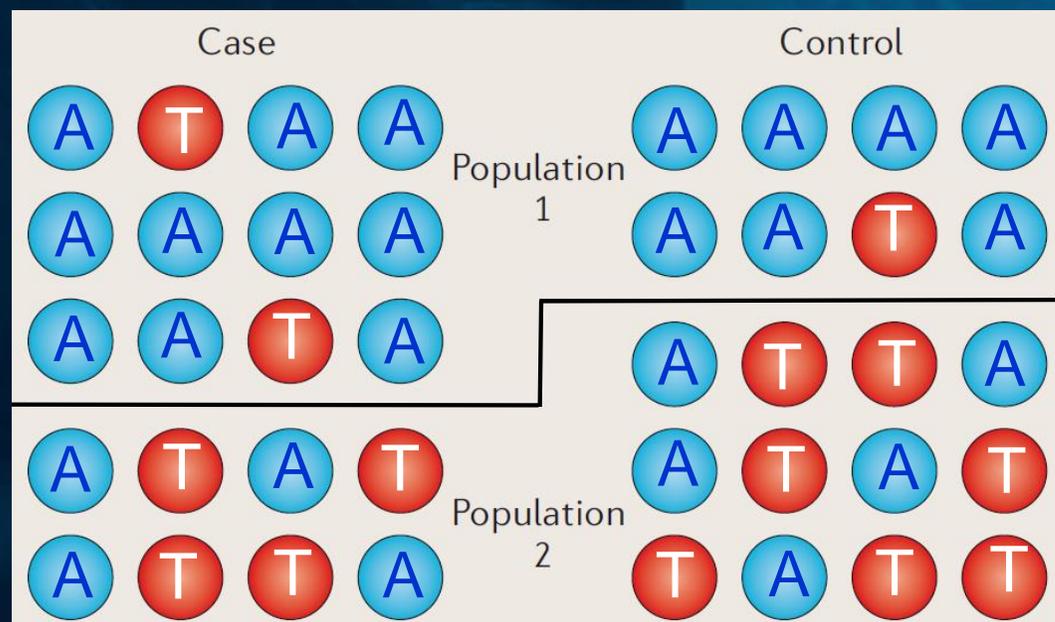


THEN...

- **Spurious correlations** induced giving spurious hits
- True signal swamped out, **reducing power** to detect true associations



e.g. of How Hidden Structure Can Hurt

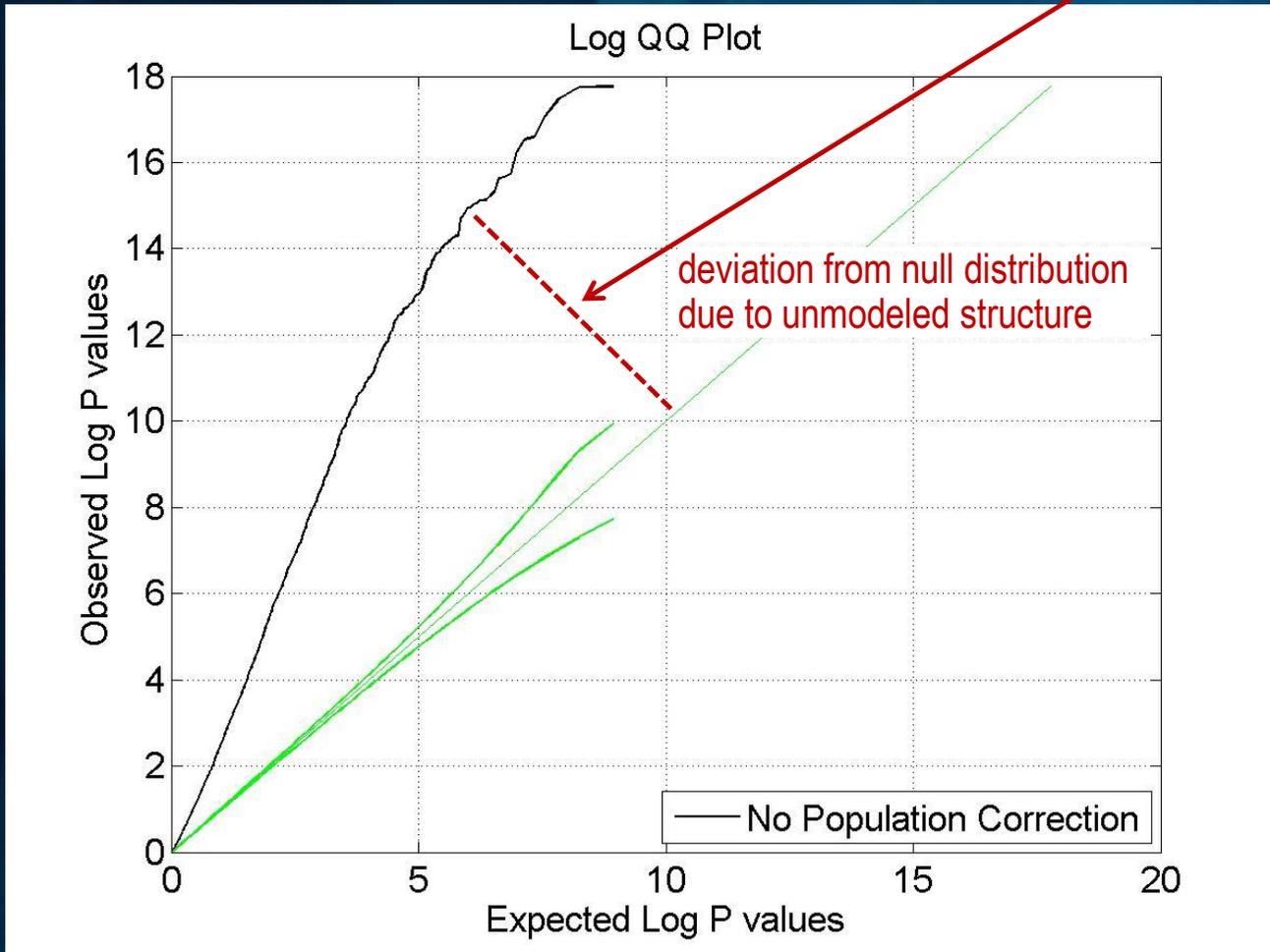


(Balding, Nat Rev Genet. 2006)

- Suppose the set of *cases* has a different proportion of ethnicity *X* from *control*
- Then genetic markers that differ between *X* and other ethnicities in the study, *Y*, will appear artificially to be associated with disease
- Furthermore, these (often numerous and strong) spurious associations can swamp out the true signal of interest

- Also, the larger the study (# people), the worse the problem, since the power to detect 'spurious' signal increases
- But large studies are needed to detect markers with weak effect

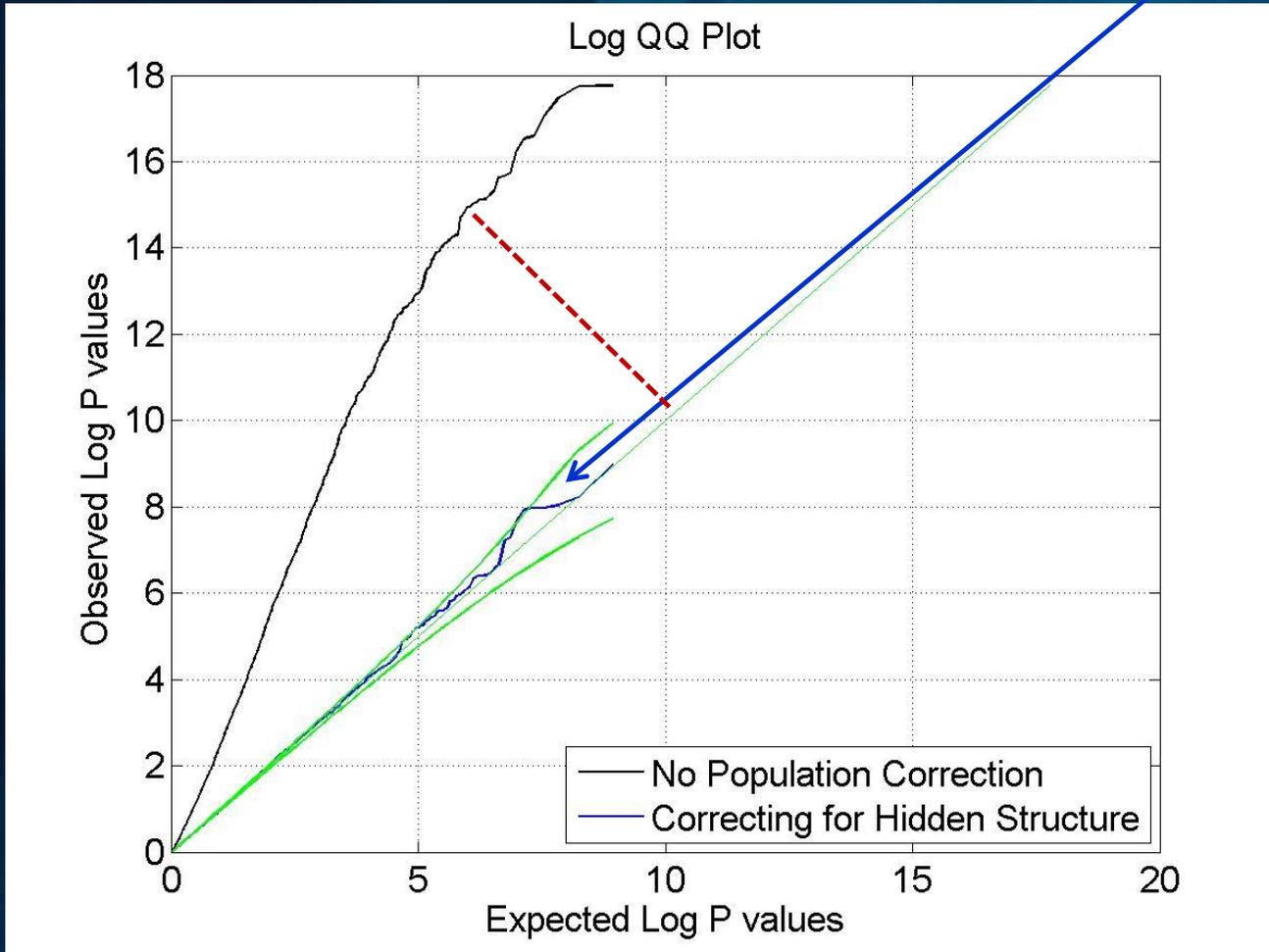
Leveraging Scale Of GWAS to Find Evidence of Hidden Structure



- When testing **thousands of genetic markers** for association with a disease, we **expect very few of them to truly be associated with disease**
- Key insight: the resulting distribution of **test statistics** should be close to a uniform p-value distribution

~7500 SNPs, ~1000 people, contains multiple ethnicities and families)

Leveraging Scale Of GWAS to Correct For Hidden Structure

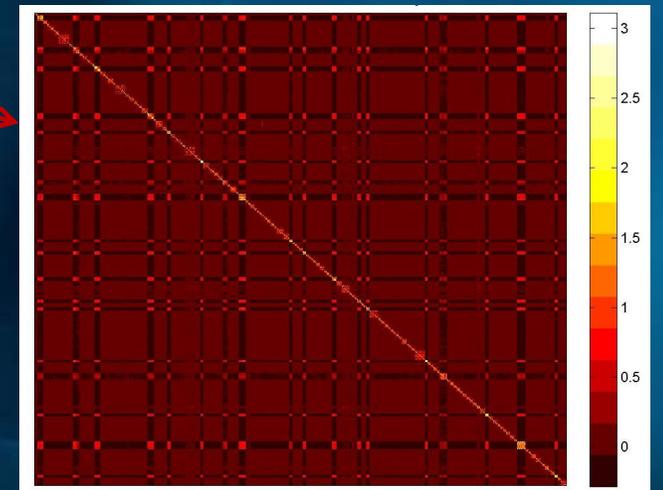


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Leveraging Scale Of GWAS to Correct For Hidden Structure

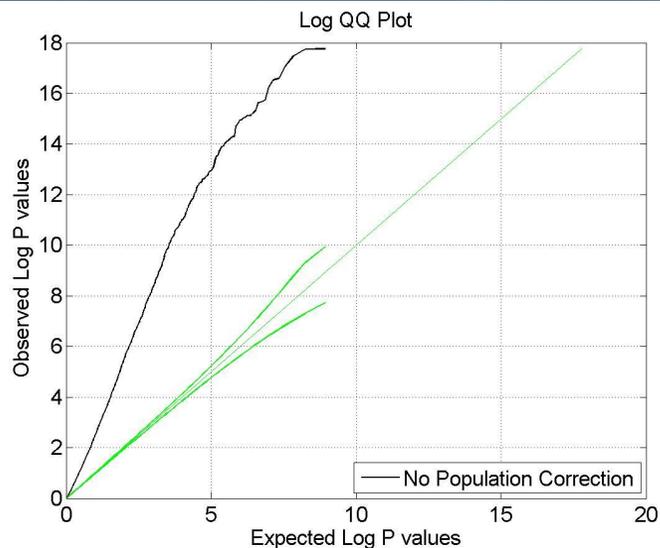
- Use the large scale of the data set itself to infer hidden population structure
- *i.e.*, Use the genetic markers themselves, in aggregate, to see how 'similar' every two people are, and incorporate this into the analysis
- Best current approaches are:
 1. *Principle Component Analysis* –based
 2. *Linear Mixed Models*



genetic 'similarity' matrix

Digression: Naïve Approach → Linear Regression

- Regress target phenotype on each genetic marker
- *e.g.*, regress blood pressure level on SNP (and do for each SNP)
- Evaluate SNP for association by comparing this model to one that ignores the SNP (*e.g.* use LRT statistical test)

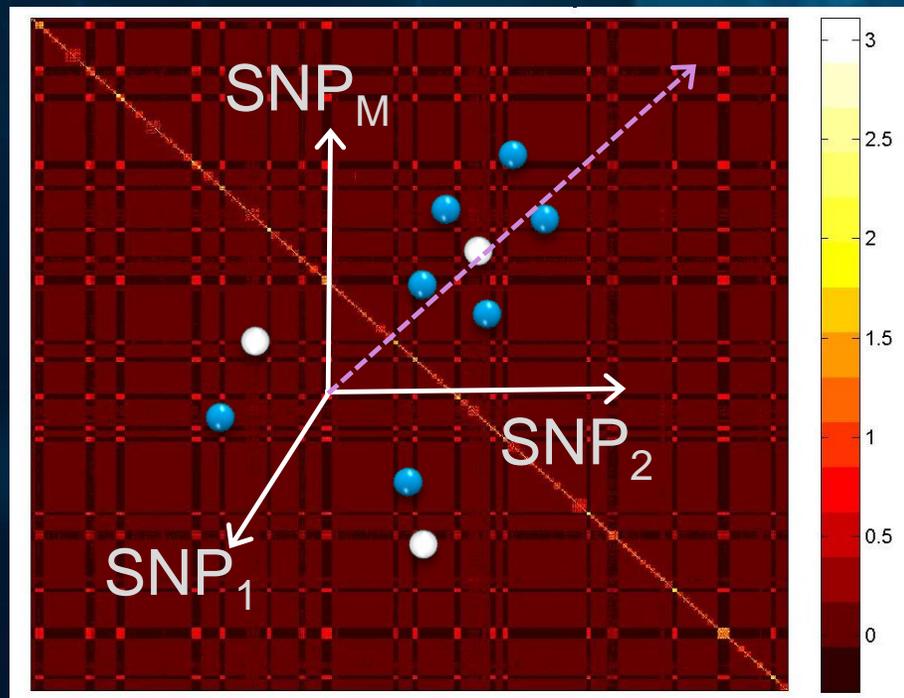


$$y = X\beta + \varepsilon$$

← gaussian noise

ure SNP learned regression weight
(importance of SNP to blood pressure)

Principle Components Analysis Approach



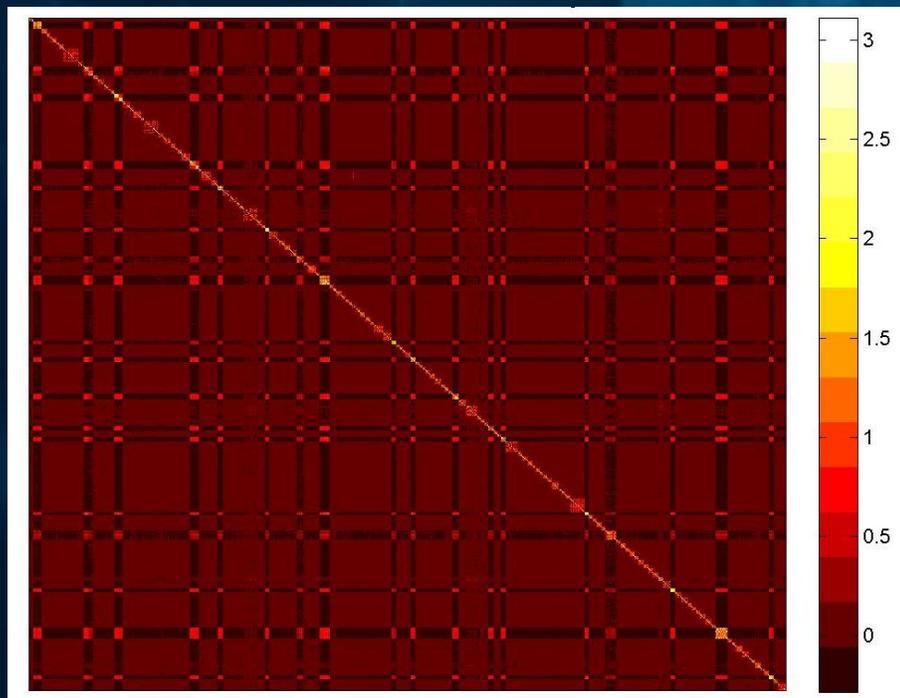
genetic similarity between every two people

- Find major 'axes of variation' of the high dimensional space (# markers)
- Project each person's markers into the low dimensional space captured by the top few axes
- Add projections as covariates in a standard regression analysis that looks for associations between marker and phenotype

- Works well to capture broad structure
 - Sensitive to outliers (bad!)
 - Cannot capture fine-grained structure (bad!)
 - Fast computations (good!)
- projection in low-dim space learned regression weight

$$y = X\beta_1 + P\beta_2 + \epsilon$$

Linear Mixed Model Approach



genetic similarity between every two people

- Do **not** reduce space to a set of directions
Use it in its entirety!
- Use similarity as a (Bayesian) prior over hidden regression coefficients that are integrated out within a standard regression analysis

$\vec{u} \sim \text{Normal}(\vec{0}, \text{[Heatmap]})$
 Captures multiple levels of similarity: broad and fine (good!)
 Not sensitive to outliers (good!)
 $\vec{y} = X\beta_1 + \left(\int u\beta_2 du \right) + \epsilon$
 Computationally expensive (bad!)

PCA-based Approach vs. Mixed Model



Mixed model works better than PCA approach here

~7500 SNPs, 1000 people, variety of ethnicities + people that are related

Our Contributions to Mixed Model Approach

- Learning similarity matrixes from the data and showing them to be better than prior known structure usually used (e.g. pedigree)
- Combining heterogeneous sources of 'similarity' to gain power and reduce spurious association
- Using approximation tricks to make the models as fast as Principle Components Analysis approaches

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